

# Quick PRIMER on IND. DET

-  $\nu$ 's

-  $\gamma$ 's

- ANTIMATTER

# 1. NEUTRINOS

$\nu$ 's : HARD TO DETECT!

ONLY 2 ASTRO SOURCES DETECTED SO FAR!

BUT:

CAPTURE IN SUN / EARTH



SINK IN



PAIR ANNIHILATION



PRODUCE THE  $\nu$ 'S (~ BEING FREE!)

MOST PROMISING CASE: SUN

KEY EQUATION:

$N(t)$  : # of particles in SUN

$$\frac{dN(t)}{dt} = C^0 - A^0 (N(t))^2 - E^0 N(t)$$

EVAPORATION  
 → NEGLECT  
 (ONLY RELEVANT FOR  $m_x \in \text{few GeV}$ )

$C^0 \sim \underbrace{\phi_x}_{\text{FLUX OF DM}} \underbrace{\left(\frac{M_\odot}{m_p}\right)}_{\text{\# OF TARGETS}} \underbrace{\sigma_{xp}}_{\text{CAPTURE X-SEC}}$

•  $\phi_x \sim n_x \cdot v_x$

•  $M_\odot \sim 10^{30} \text{ kg} \sim 10^{57} \text{ GeV}$

•  $\sigma_{xp} \left\{ \begin{array}{l} \sigma_{SD} \sim 10^{-39} \text{ cm}^2 \\ \sigma_{SI} \sim 10^{-46} \text{ cm}^2 \end{array} \right.$

$$\text{So, } C^\odot \sim \frac{10^{23}}{5} \left( \frac{\rho_{DM}}{0.3 \frac{\text{GeV}}{\text{cm}^3}} \right) \left( \frac{v_{DM}}{300 \frac{\text{km}}{\text{s}}} \right) \left( \frac{100 \text{ GeV}}{m_\alpha} \right) \left( \frac{\sigma_{\text{ap}}}{10^{-39} \text{ cm}^2} \right)$$

$$A^\odot \sim \frac{\langle \sigma v \rangle}{v_{\text{eff}}} \sim \text{"WIMP-SPHERE"} : 10^{28} \text{ cm}^3 \left( \frac{m_\alpha^{3/2}}{100 \text{ GeV}} \right)$$

$$N(t) = \sqrt{\frac{C^\odot}{A^\odot}} \tanh \left( \underbrace{\sqrt{C^\odot A^\odot}}_{\frac{1}{t^\odot}} t \right)$$

$$\text{IF } t^\oplus \ll t^\odot \rightarrow$$

$$\Gamma_\lambda = \frac{1}{2} A^\odot N(t)^2 \approx \frac{C^\odot}{2}$$

$$C^{\odot} \sim 10^{23} \text{ s}^{-1} \left( \frac{\Delta_{\text{vap}}}{10^{-39} \text{ cm}^2} \right)$$

$$A^{\odot} \sim 3 \cdot 10^{-54} \text{ s}^{-1} \left( \frac{\langle \sigma \rangle}{3 \times 10^{-26} \text{ cm}^2} \right)$$

$$C^{\odot} A^{\odot} \gg \frac{1}{\underbrace{(t^{\odot})^2}_{4.5 \text{ byr} \sim 10^{17} \text{ s}}}$$

$$\Delta_{\text{vap}} \gg 10^{-41} \text{ cm}^2$$

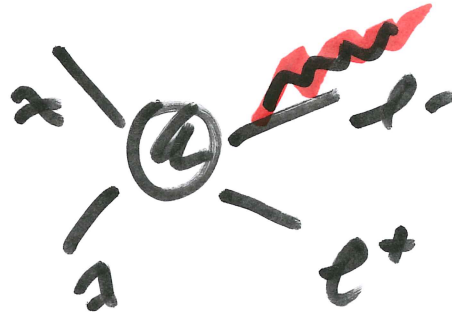
... THERE'S ROOM FOR EQUILIBRATION,  
BUT DIR DEF IS CLOSING IN!!

# 2. GAMMA RAYS

LIGHT FROM DM?  $\left\{ \begin{array}{l} \text{(i) PROMPT} \\ \text{(ii) SECONDARY} \end{array} \right.$

(i) •  $\pi^0$  FROM HADRONIZATION,  $\pi^0 \rightarrow \gamma\gamma$

• INTERNAL BREMS:



(ii) KEY ENERGY LOSSES:

- INVERSE COMPTON
- SYNCHROTRON

- IC:



$$\langle E_0' \rangle \sim \gamma_e^2 E_0$$

AMBIENT PHOTON:

- CMB  $E_0 \sim 10^{-4} \text{ eV}$
- STARLIGHT  $E_0 \sim 1 \text{ eV}$
- DUST  $E_0 \sim 10^{-2} \text{ eV}$



BCKG PHOTONS  
ENERGY DENSITY  
DISTRIBUTION

$$\text{So, FOR } E_e \sim \frac{m_e c^2}{10}, \quad \gamma_e \sim \left( \frac{m_e c^2}{100 \text{ GeV}} \right) \cdot 2 \cdot 10^4$$

$$E'_{\text{CMB}} \sim 100 \text{ keV} \left( \frac{m_e c^2}{100 \text{ GeV}} \right) \quad ] \text{ HARD X-RAY}$$

$$E'_{\text{STARLIGHT}} \sim 10 \text{ GeV}$$

$$E'_{\text{DUST}} \sim 0.1 \text{ GeV}$$

]  $\gamma$ -RAY

(b) SYNCHROTRON:  $\frac{\nu_s}{\text{MHz}} \approx \left( \frac{E_e}{\text{GeV}} \right) \left( \frac{B}{\mu\text{T}} \right)^{1/2}$

$$\text{POWER} \sim B^2$$



... OPTIMAL TARGETS & RATES:

- LARGE  $\int d\ell(\psi) \rho_{DM}^2$  (A.K.A  $J(\psi)$ )
- LOW BCKG



dSph  
CLUSTERS  
GC  
...



SEE JENNY'S  
TALK!

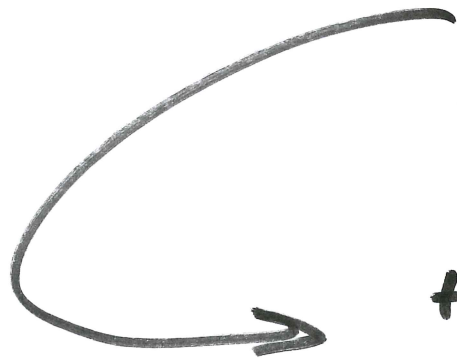
# 3. CHARGED COSMIC RAYS

$\bar{p}$ ,  $\bar{D}$  (soon:  ${}^3\bar{\text{He}}$  !)

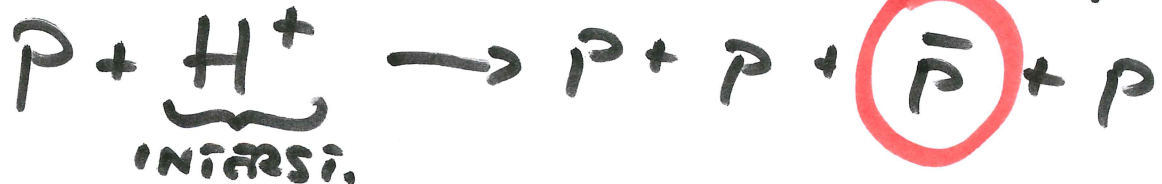
KEY IDEA:

① DM PRODUCES LOW-ENERGY  
SOFT JET REMNANTS

② CR'S (BCKG) HAVE LARGE  
KINETIC ENERGIES



HOW DO YOU PRODUCE A  $\bar{p}$ ?



THRESHOLD E FOR PRIMARY P:

$$\left( (E, p) + (m_p, 0) \right)^2 \approx (4m_p)^2$$

$$E^2 + 2m_p E + m_p^2 - E^2 \approx 16m_p^2$$

$$E \sim 7.5 m_p$$

$$\langle E \rangle \sim \text{few GeV}$$

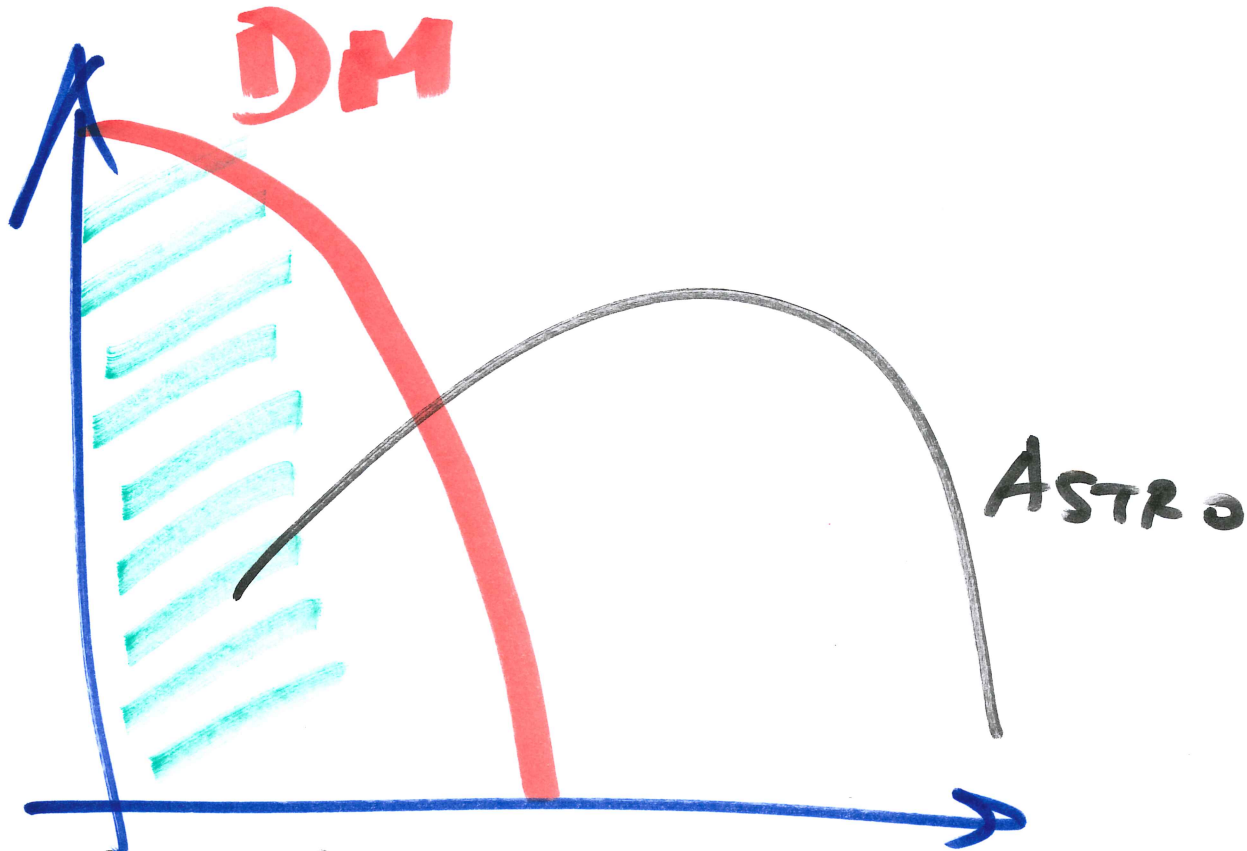
For  $\bar{D}$ :

$\bar{D}$



$$E_{th} \sim 17.5 \text{ GeV}$$

$$\frac{dN}{dE}$$



OPTIMAL  
SIGNAL-TO-  
NOISE

← e.g. GAPS!

# DETAILS OF CR FLUX CALCULATIONS:

## DIFFUSION EQUATION

$$(1) \quad \underbrace{\frac{\partial}{\partial t} \psi}_{\text{CR FLUX}} = \underbrace{D(E) \Delta \psi}_{\text{DIFFUSION}} + \underbrace{\frac{\partial}{\partial E} (b(E) \psi)}_{\text{E-LOSSES}} + \underbrace{Q(\vec{x}, E, t)}_{\text{SOURCE}}$$

$\bullet$   $\underline{D(E)} \sim D_0 \left( \frac{E}{E_0} \right)^\delta$   $\rightsquigarrow$  "LARMOR RADIUS"  
 $\delta \approx 0.2$   
 $\hookrightarrow \text{few} \times 10^{28} \frac{\text{cm}^2}{\text{s}}$

$\bullet$   $\underline{b(E)} \sim 10^{-16} \cdot \left( \frac{E}{\text{GeV}} \right)^2 \frac{\text{GeV}}{\text{s}}$

... IN STEADY STATE, (1) REDUCES TO:

$$0 = -\frac{\psi}{\tau_{diff}} - \frac{\psi}{\tau_{loss}} + Q$$

WHERE

$$\left\{ \begin{array}{l} \tau_{diff} \sim \frac{R^2}{D_0} E^{-\delta} \\ \tau_{loss} \sim \frac{E}{b(E)} \end{array} \right.$$

...SO

$$\psi \approx Q \cdot \min[\tau_{diff}, \tau_{loss}]$$

... APPLY THIS TO SECONDARY-TO-PRIMARY RATIOS:

① PROTONS:

PRIMARY SOURCE: SNR

$$Q \sim E^{-2} \quad (\text{FERMIS}^{\text{nd}} \text{SP})$$

$$\psi \sim E^{-2} \cdot E^{-0.7} \sim E^{-2.7}$$



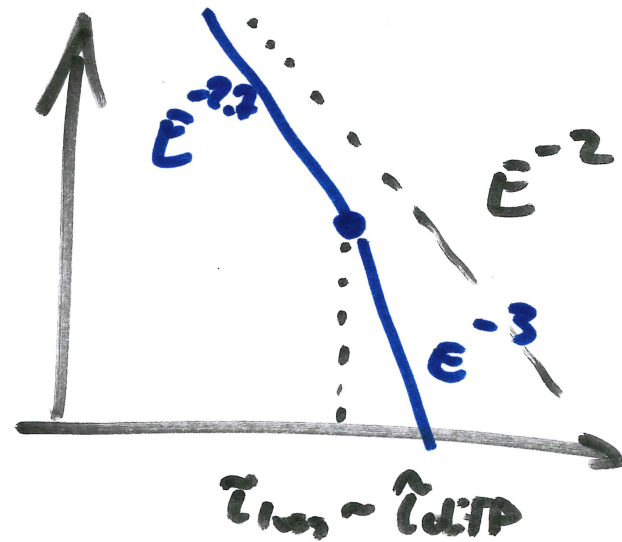
$$\tau_{\text{diff}} \ll \tau_{\text{loss}}$$

② PRIMARY ELECTRONS:

PRIMARY SOURCE:

AS PROTONS,

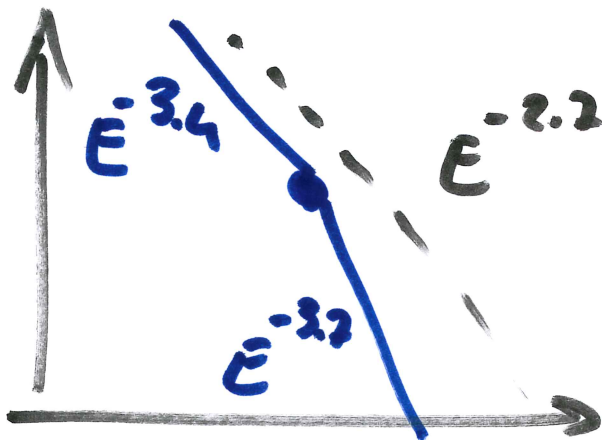
$$Q \sim E^{-2}$$



# © SECONDARY ELECTRONS / POSITRONS

PRIMARY SOURCE: PRIMARY PROTONS!

$$Q \sim \psi_p \sim E^{-2.7}$$



SO, GENERICALLY,

$$\frac{\psi_{e^+}}{\psi_{e^-}} \sim E^{-\delta} \sim E^{-0.7}$$

... NOT OBSERVED!

(ALTHOUGH PERFECTLY FINE WITH ALL OTHER  
C.P. SECONDARY-TO-PRIMARY RATIOS!)



WHAT COULD PRODUCE  $E \sim 100 \text{ GeV}$   $e^{\pm}$ 's?

TIMESCALE FOR E-LOSSES:

$$\tau_{\text{loss}} \sim \frac{E}{b(E)} \sim \frac{100 \text{ GeV}}{10^{-16} \cdot 100^2 \frac{\text{GeV}}{\text{s}}} \sim 10^{14} \text{ s}$$

So  $100 \text{ GeV}$   $e^{\pm}$  LOOSE ENERGY IN  $\sim$  1 Myr

PSRAGE!

HOW FAR CAN THEY TRAVEL?

HOW FAR CAN 100 GeV  $e^\pm$  TRAVEL ?

$$\text{DISTANCE} \ll \sqrt{D(E) \cdot t_{\text{loss}}} \sim \sqrt{10^{28} \cdot (10^2)^{0.7} \cdot 10^{14} \text{ cm}}$$

$$\sim 10^{22} \text{ cm} \sim \boxed{3 \text{ kpc}}$$

- ... So:
- MATURE, LOCAL PSR (Myr,  $\sim$  kpc)
  - LOCAL ( $< 3$  kpc) DM