

# Physics 160

## Lecture 16

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*May 20, 2015*

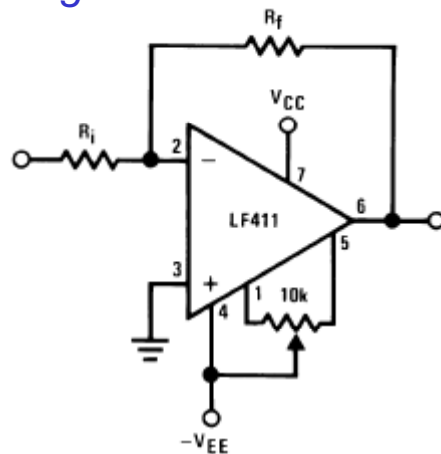
# Behavior, Limitations of Real Op-amps

- *Input offset voltage*
- *Input current, and input-current mismatch*
  - *Design to minimize voltage offsets from this current*
  - *Input offset current*
- *Temperature dependences*
- *Slew rate*
  - *e.g. correcting crossover distortion*
- *Frequency range (gen. purpose op amps are not for high frequencies)*
- *Voltage gain and phase shift*
  - *Stability!*
- *CMRR and Common-mode input range*
- *Input impedance with negative feedback is extremely high*
- *Output impedance with negative feedback is very low*
  - *What is really relevant is the limitation on output current drive*
- *Output range (how close can the output get to the supply rails?)*
  - *Single-supply op amps; can the output slew all the way to zero?*

See the data sheet for the LF411 (posted on the course web page).

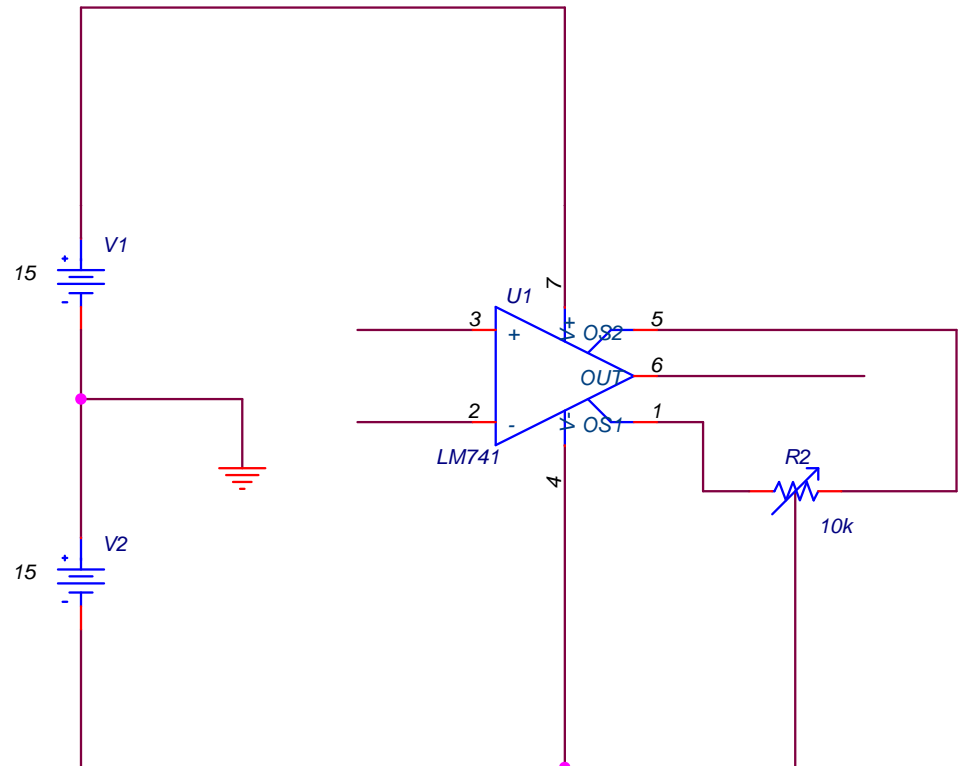
# Offset Voltage and Input Current

- *Offset voltage*
  - *2 mV max. for the 411*
    - *This is the effective mismatch at the input. At the output it gets multiplied by the gain!*
  - *Trimming*



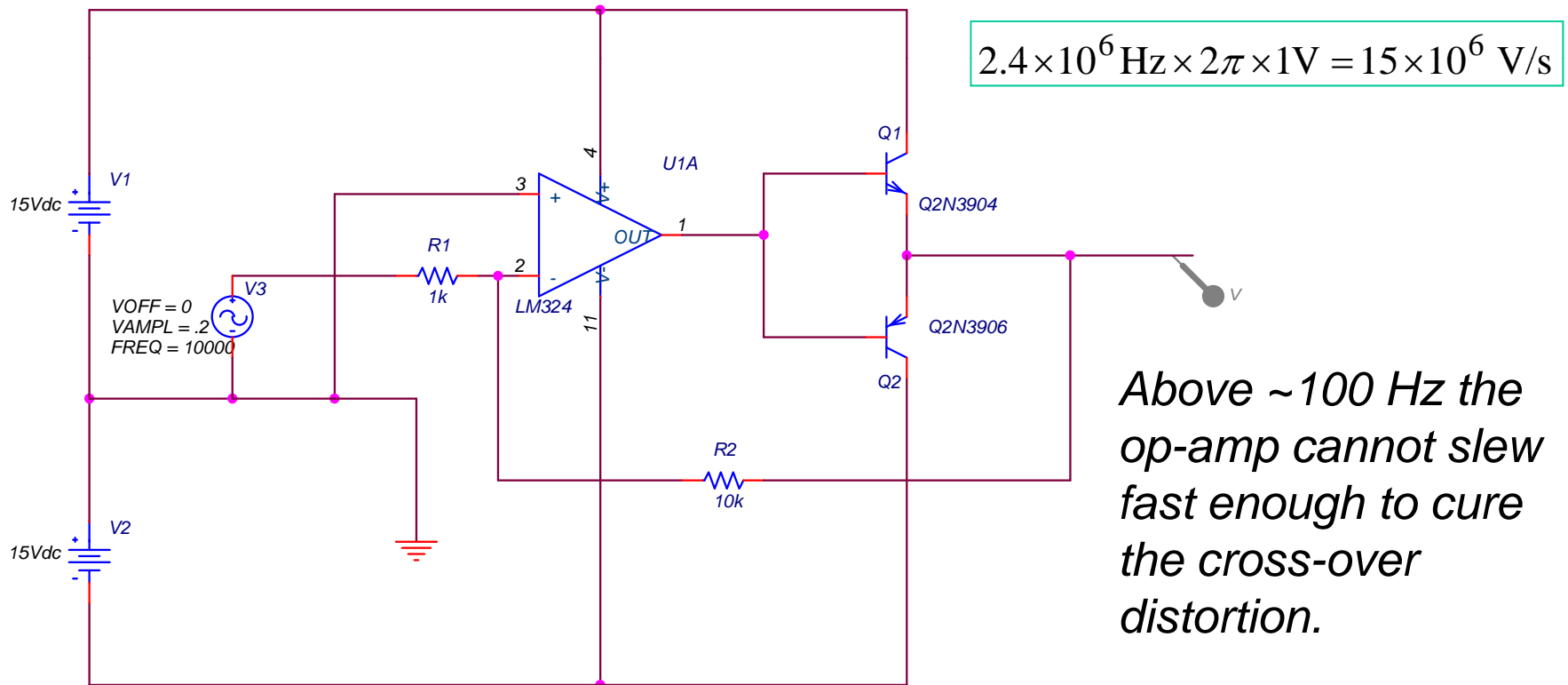
- *Temperature and time drifts*

- *Input currents (esp. for BJTs)*
  - *Balancing resistors on inputs*
  - *Input offset current*
- *A/C Amp: reduce DC gain to unity to minimize offset effects*



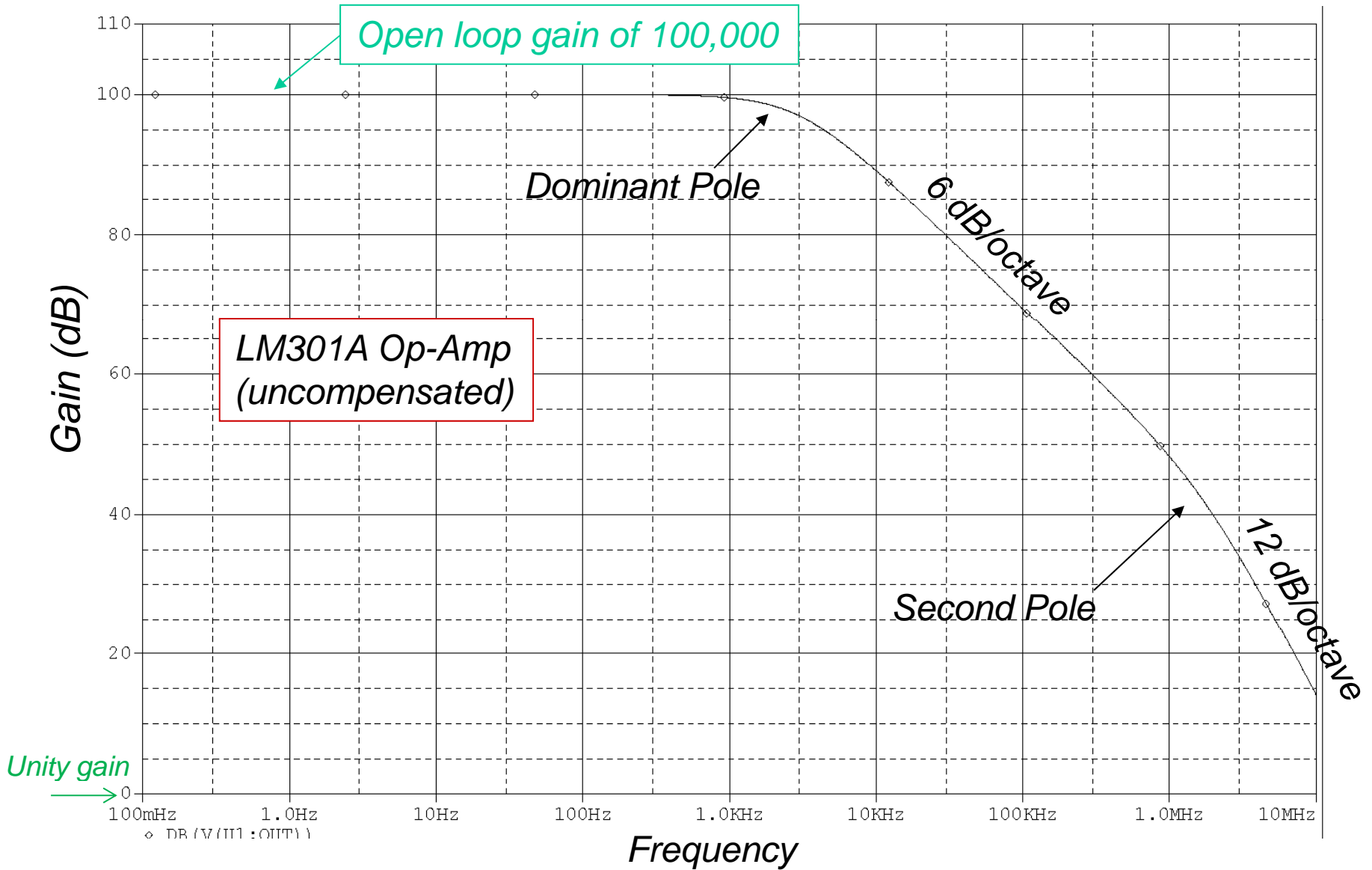
# Slew Rate

- 411 can slew outputs up to  $15 \text{ V}/\mu\text{s}$  with no capacitive load
  - For a 1 V sine wave output, for example, this limits the frequency to 2.4 MHz to avoid “harmonic” distortion.
  - Recall the limits on using an op-amp to cure crossover distortion



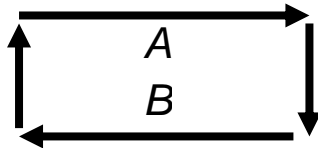
# OP-AMP STABILITY

# Gain and Phase Shift

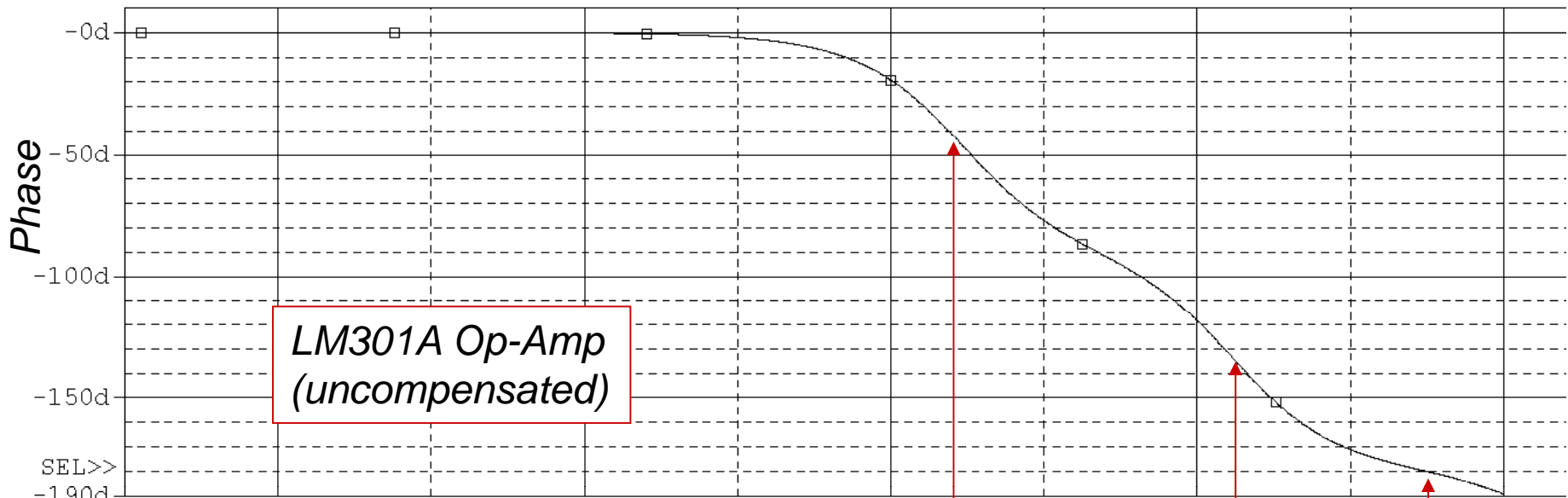


# Stability Criterion

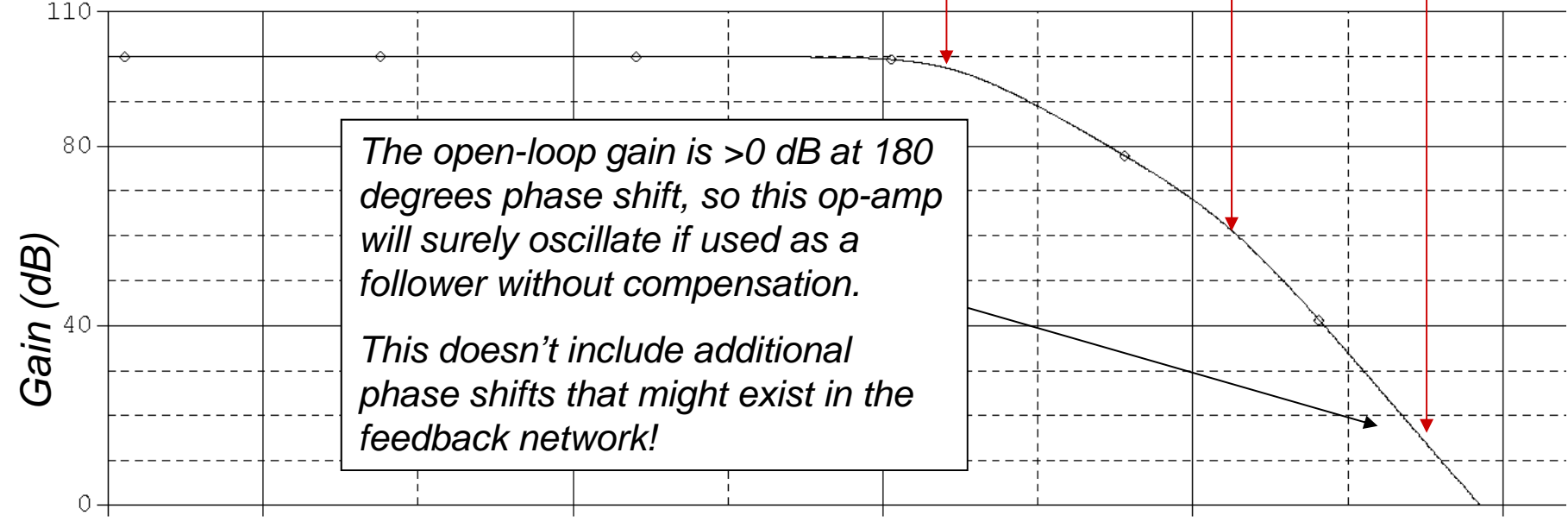
- If the loop gain is  $>1$  when the phase shift around the negative feedback loop hits 180 degrees, then the circuit will oscillate.
  - Your negative feedback becomes positive feedback at high frequency!
  - You probably won't see the oscillation in a PSpice transient simulation without doing extra work to introduce real-life effects, plus some stimulus to initiate the oscillation. Don't be fooled by trusting your computer simulation too much!



- Remember, the loop gain is  $AB$ , where  $A$  is the open-loop gain, and  $B$  is the gain of the negative feedback.
  - The follower has  $B=1$ , so that is usually the worst-case scenario for stability (inverting amp usually has  $B<1$ )
    - (A loop with  $B>1$  is even more dangerous, hence the caution about putting a capacitor across the transistor in the log-amp feedback.)



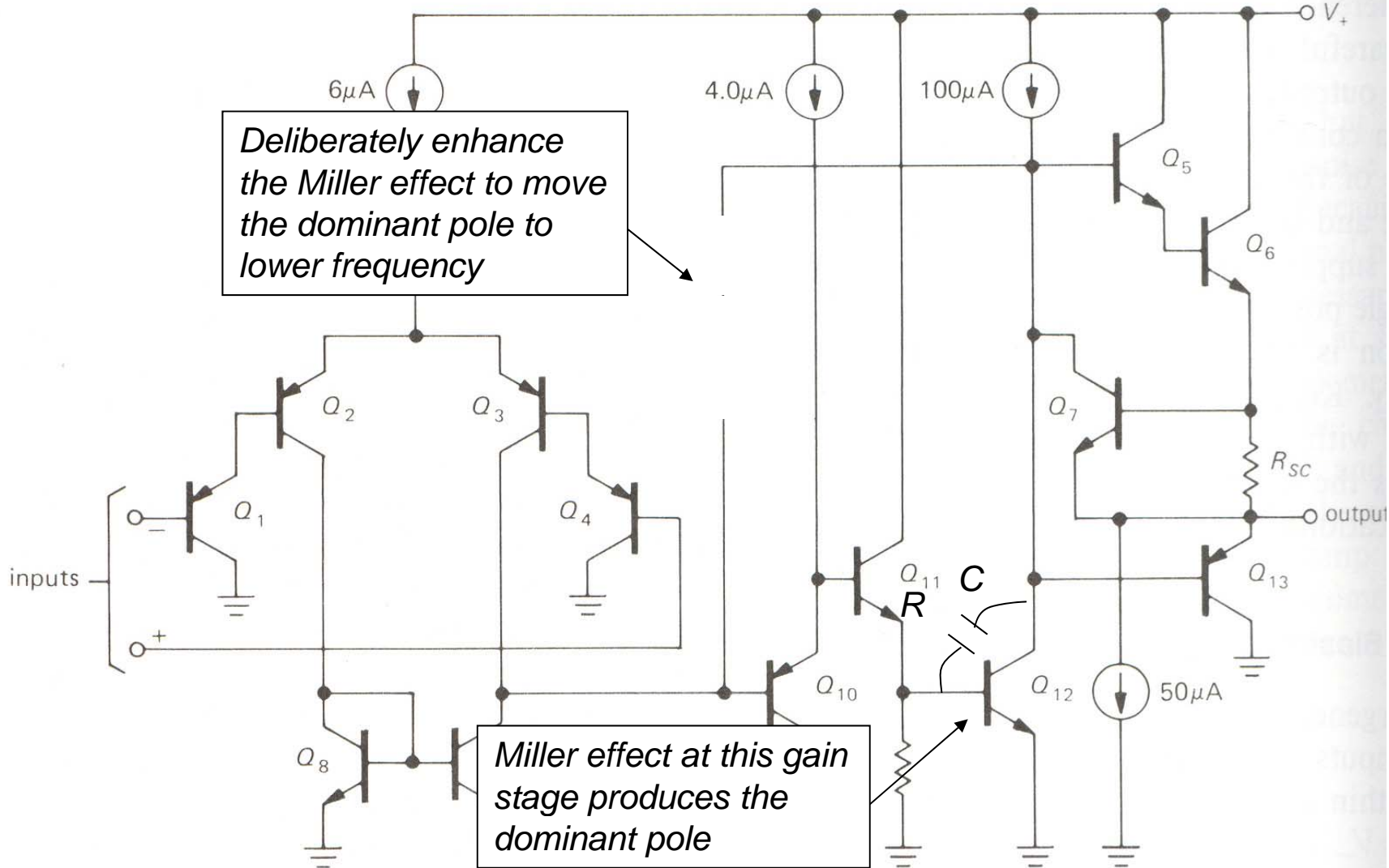
□ P(V(U1:OUT))



◇ DB(V(U1:OUT))

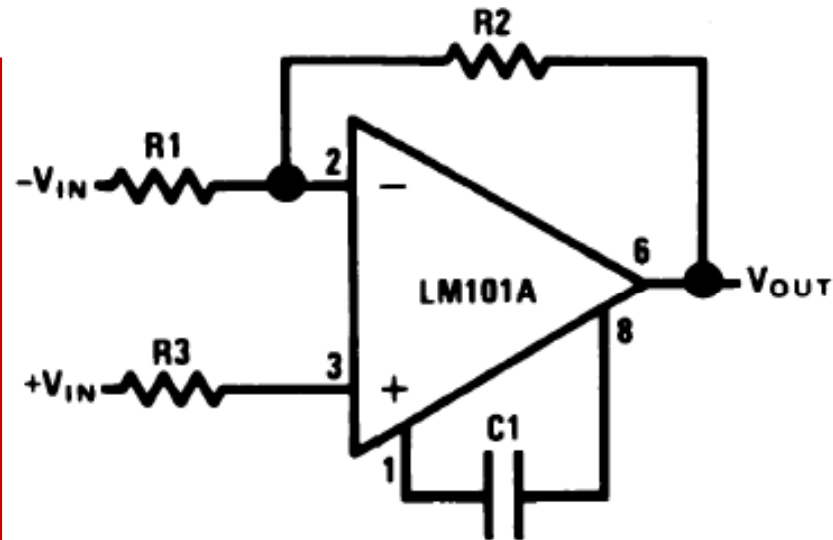


# Compensated Op-Amp



# External Compensation

Single Pole Compensation



00775208

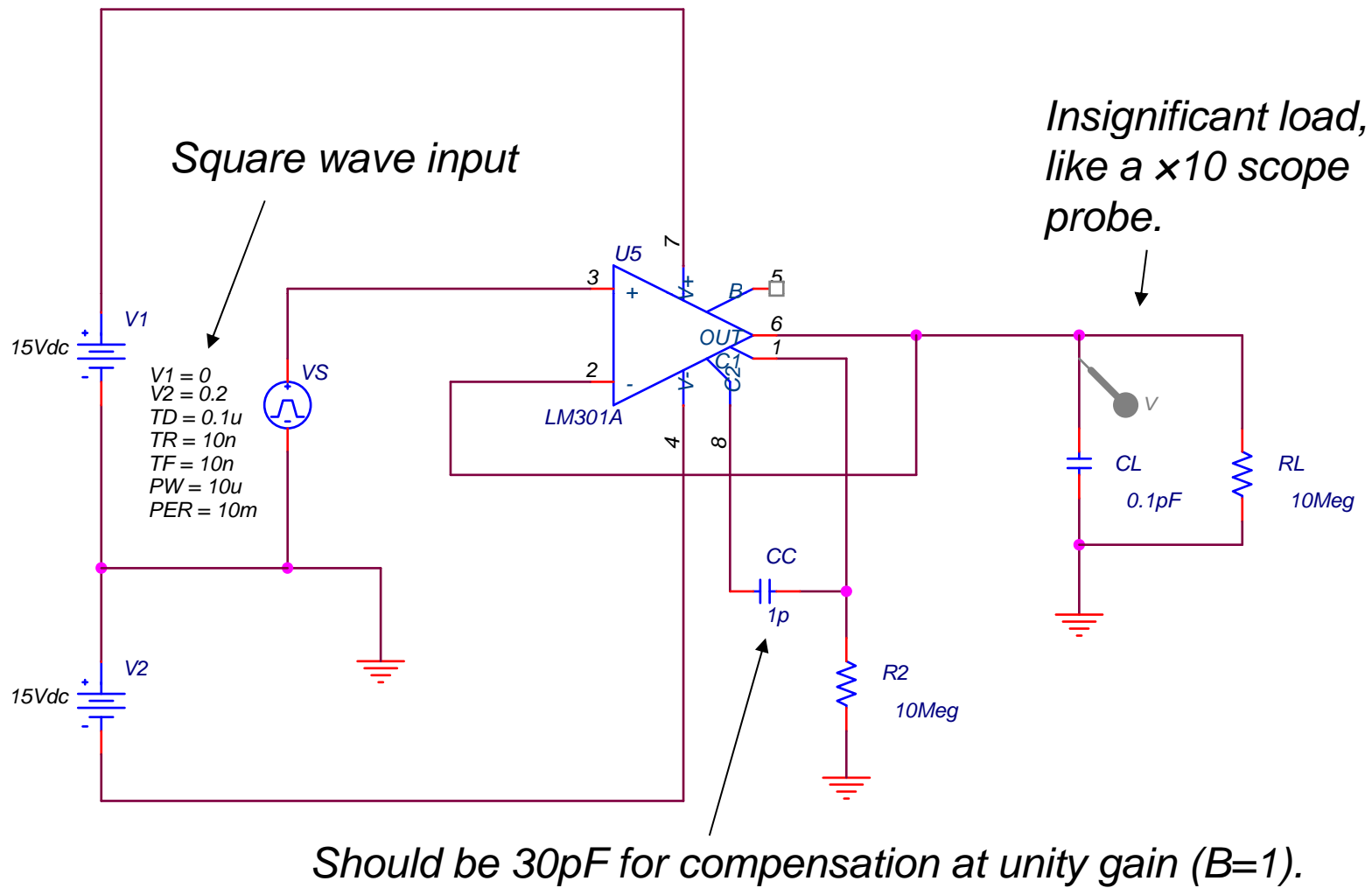
$$C_1 \geq \frac{R_1 C_s}{R_1 + R_2}$$

$$C_s = 30 \text{ pF}$$

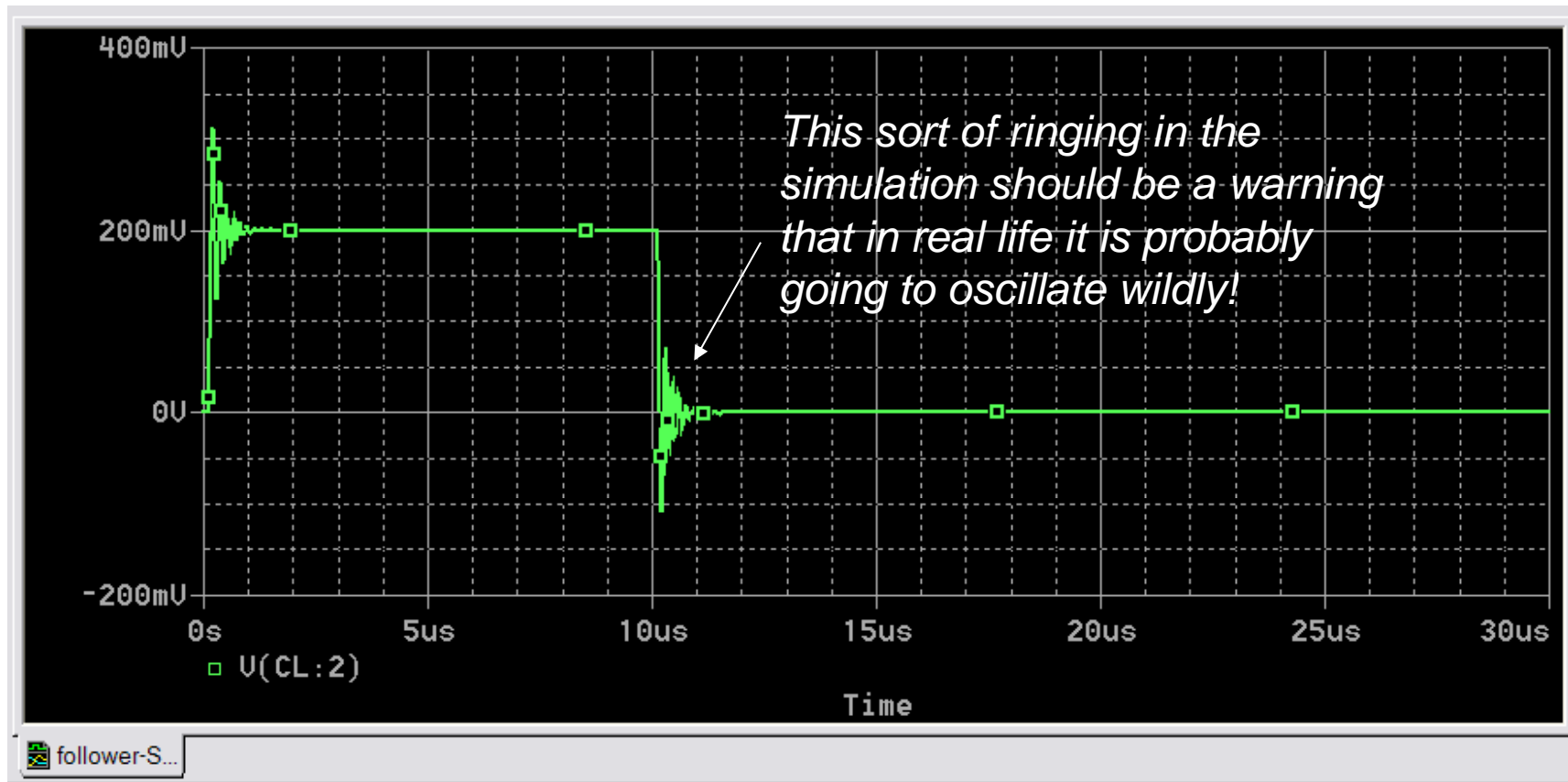
*Advantage of external compensation: you don't need to compensate as much if  $B < 1$ , so you can have higher frequency performance.*

*According to this formula from the data sheet, to make a **follower**, with  $R_1 \gg R_2$ ,  $C_1$  needs to be at least equal to  $C_s$ .*

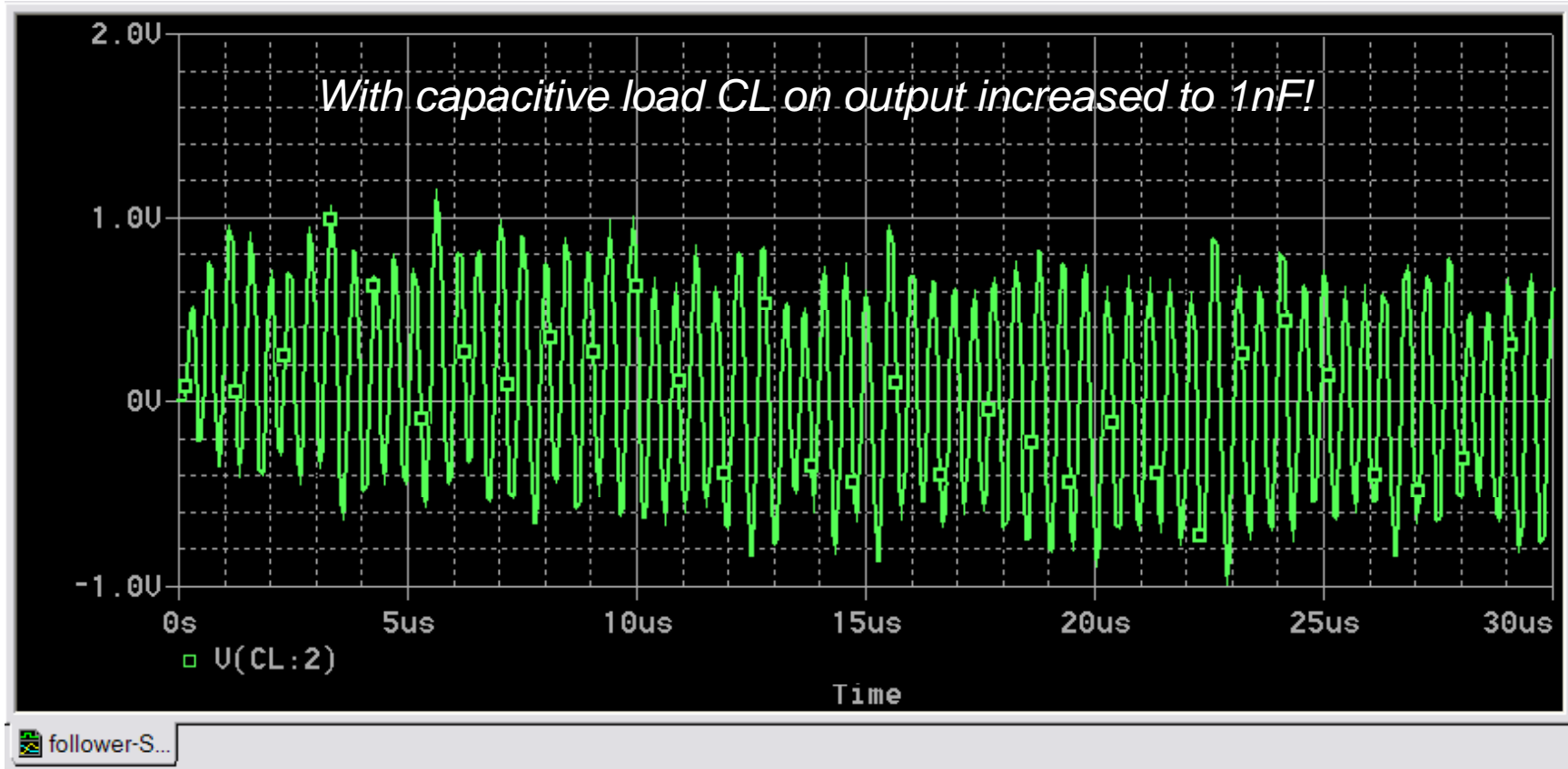
# Simulation of Follower Instability



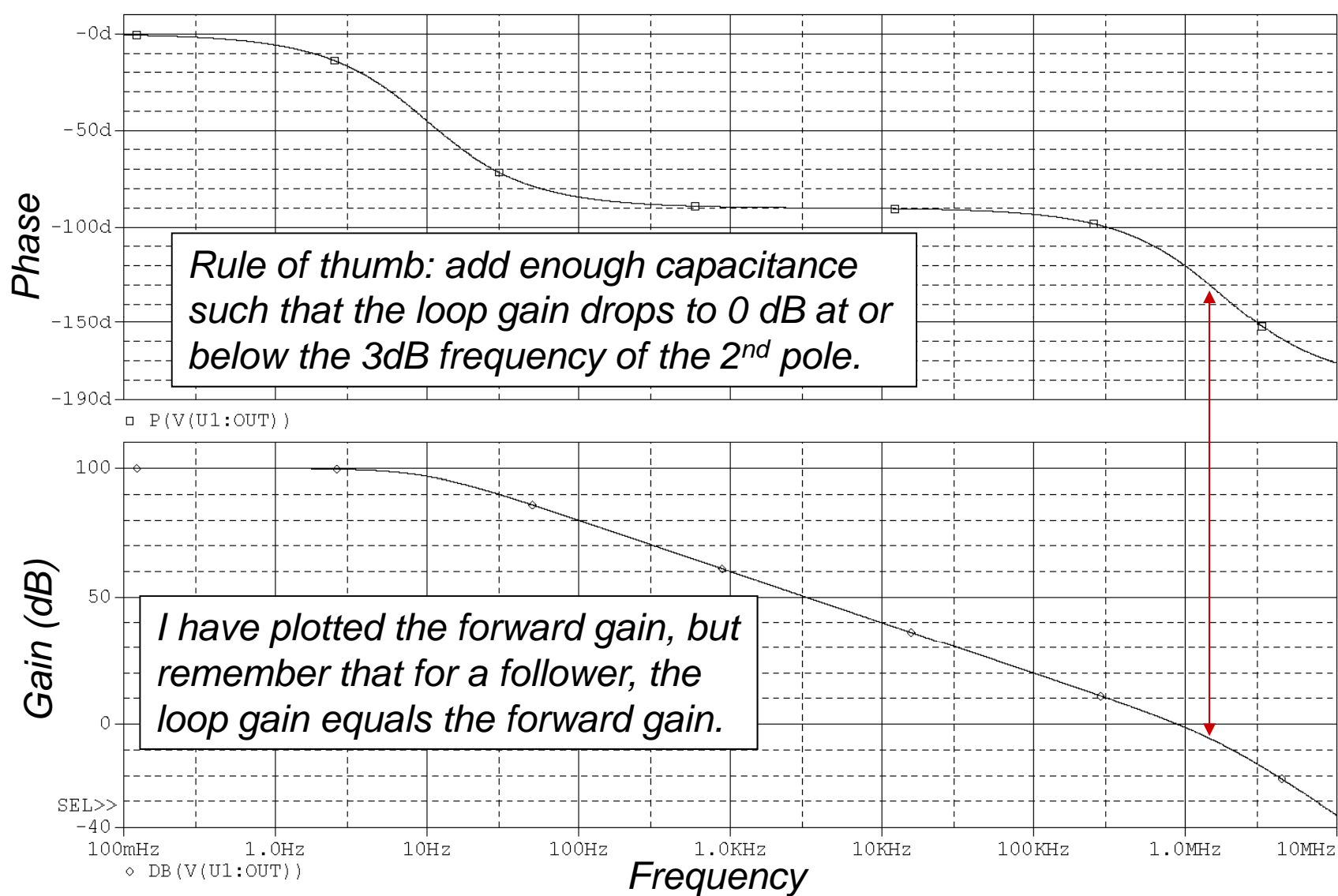
# Simulation of Follower Instability



# Simulation of Follower Instability



# LM301a with 30pF Single-Pole Compensation



# Finite Gain Effects and Bandwidth

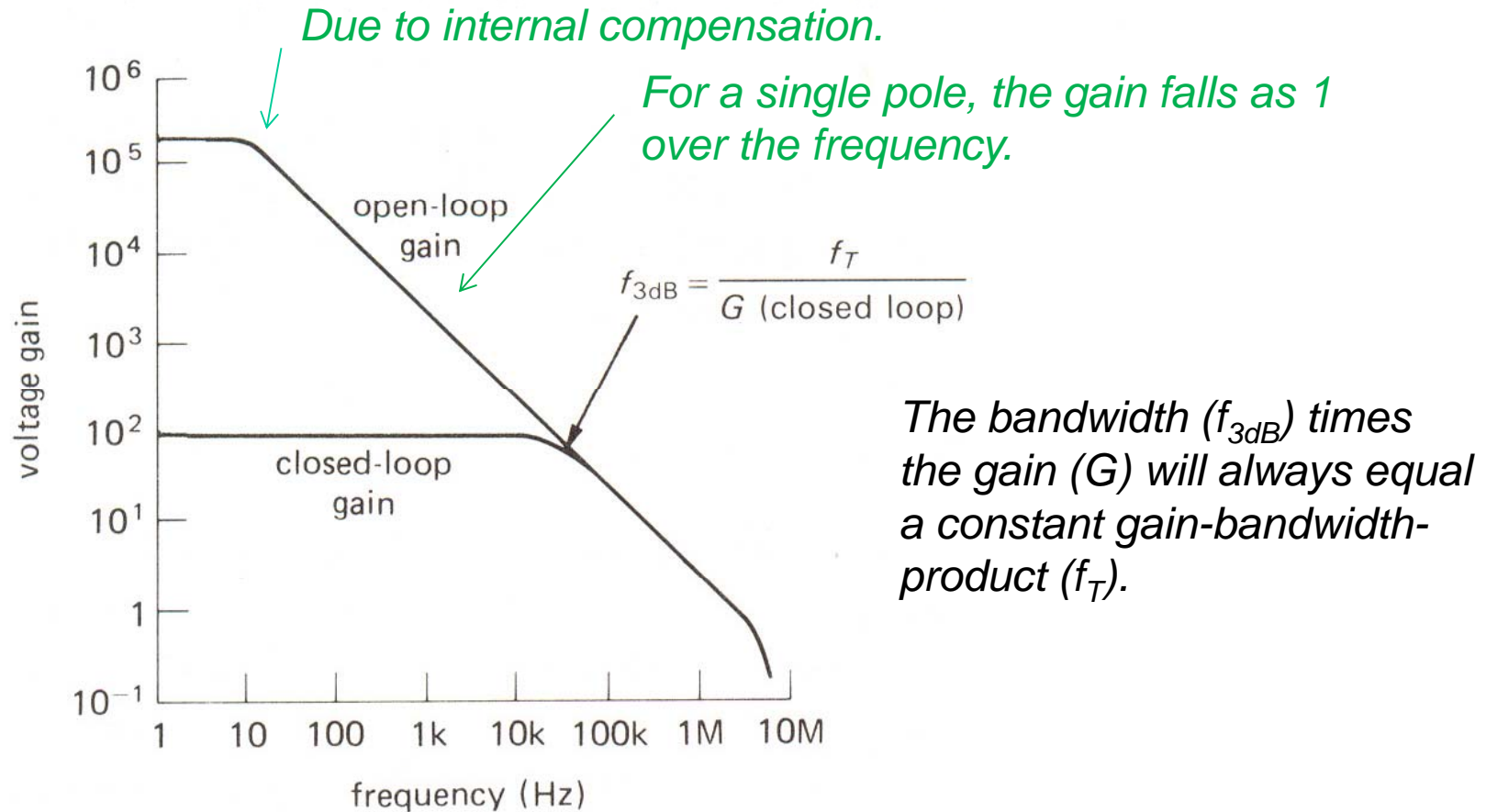
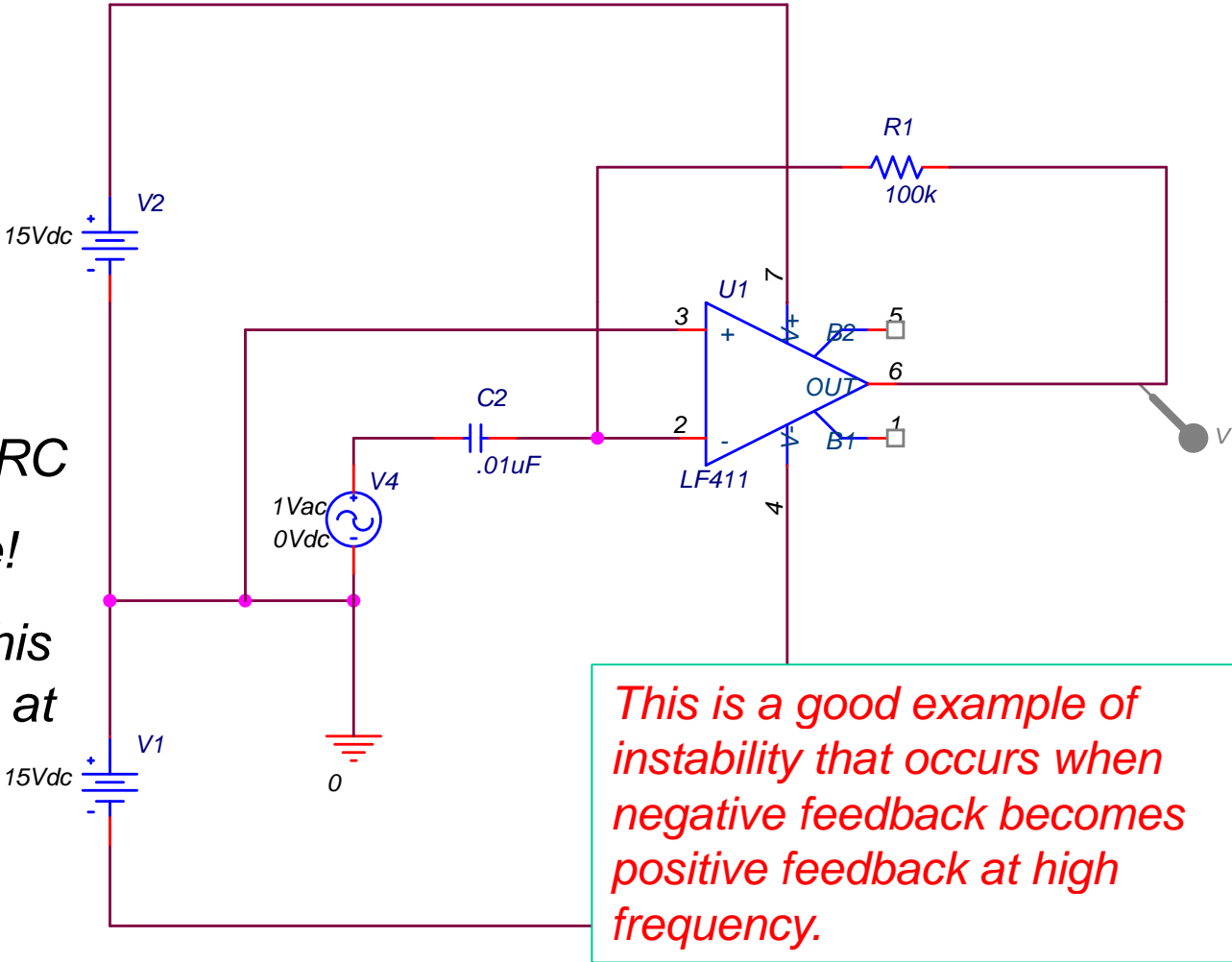


Figure 4.31. LF411 gain versus frequency (“Bode plot”).

# Pure Differentiator



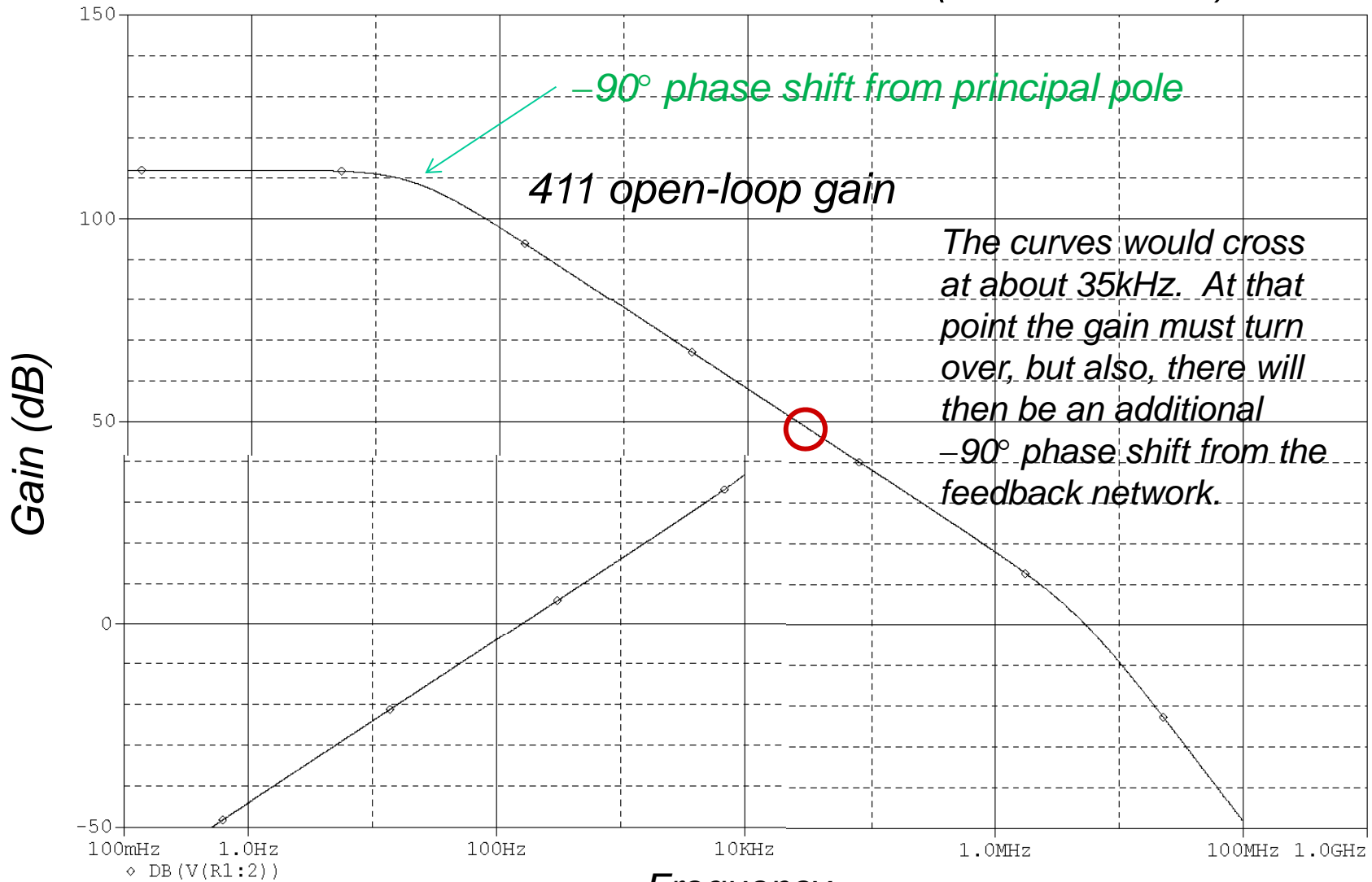
*Voltage gain =  $j\omega RC$   
Rises 6dB/octave!  
Remember that this  
circuit is unstable at  
high frequency.*

*This is a good example of instability that occurs when negative feedback becomes positive feedback at high frequency.*

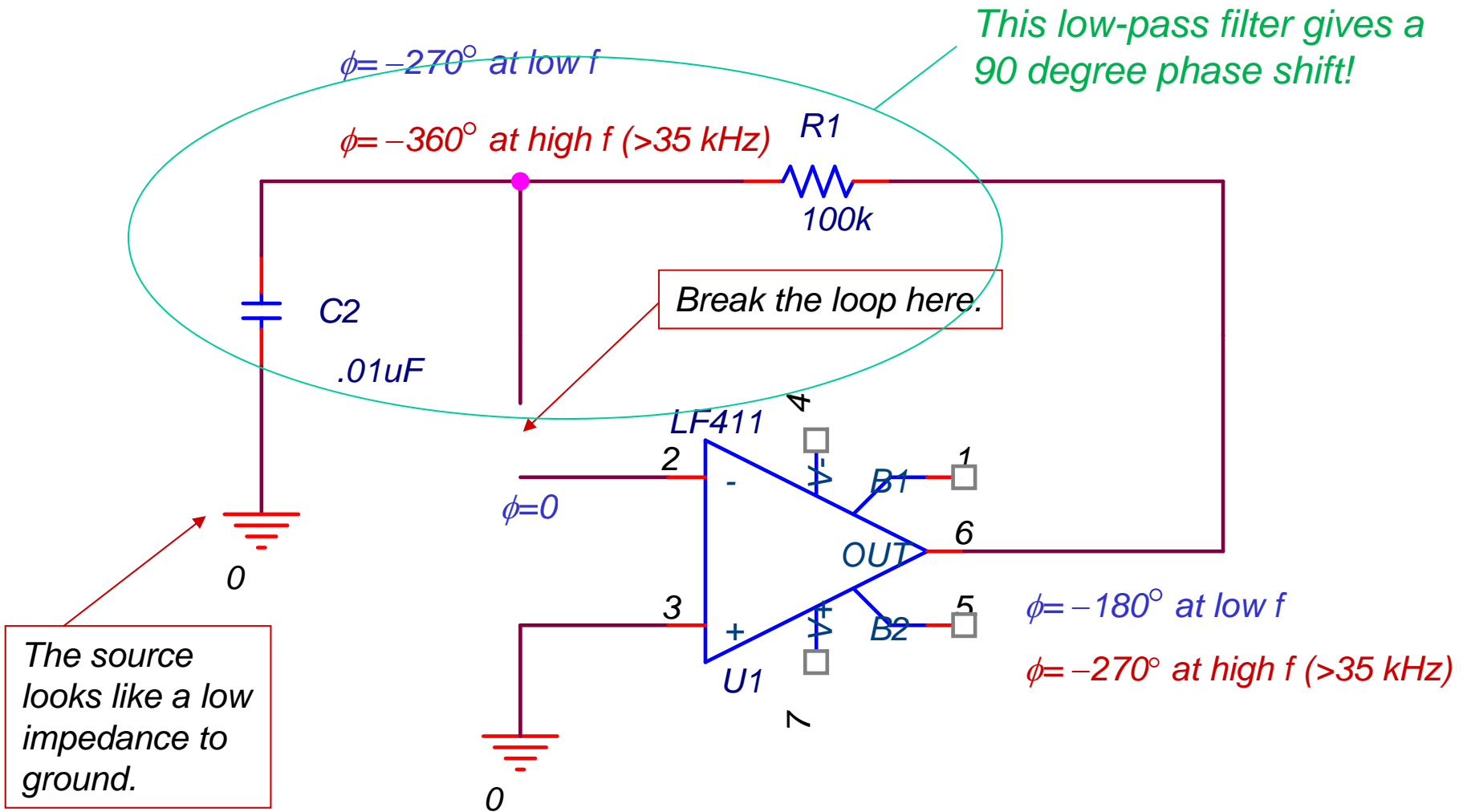


# Spice AC-sim: gain rising at 6dB/octave

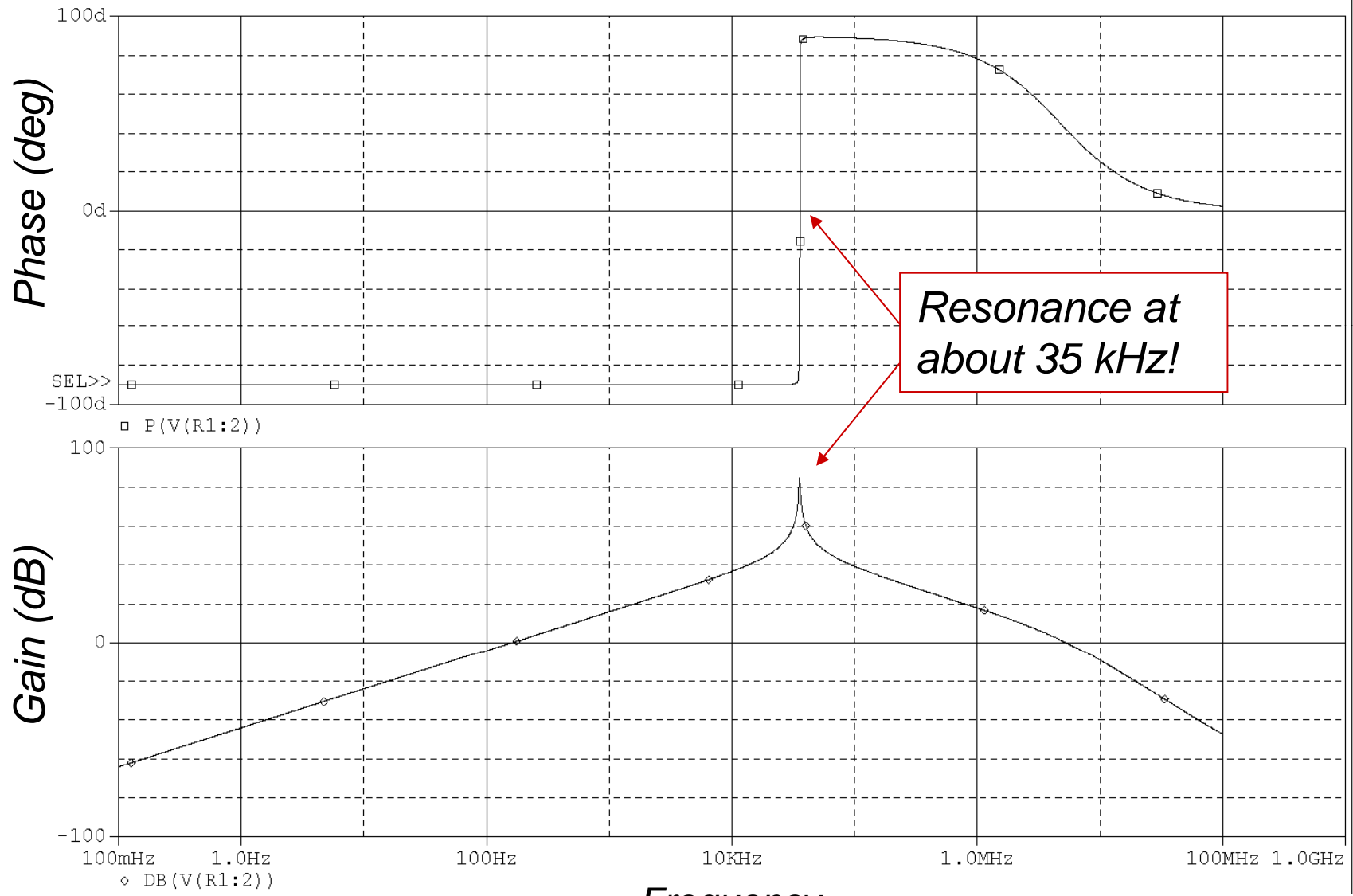
(20 dB/decade)



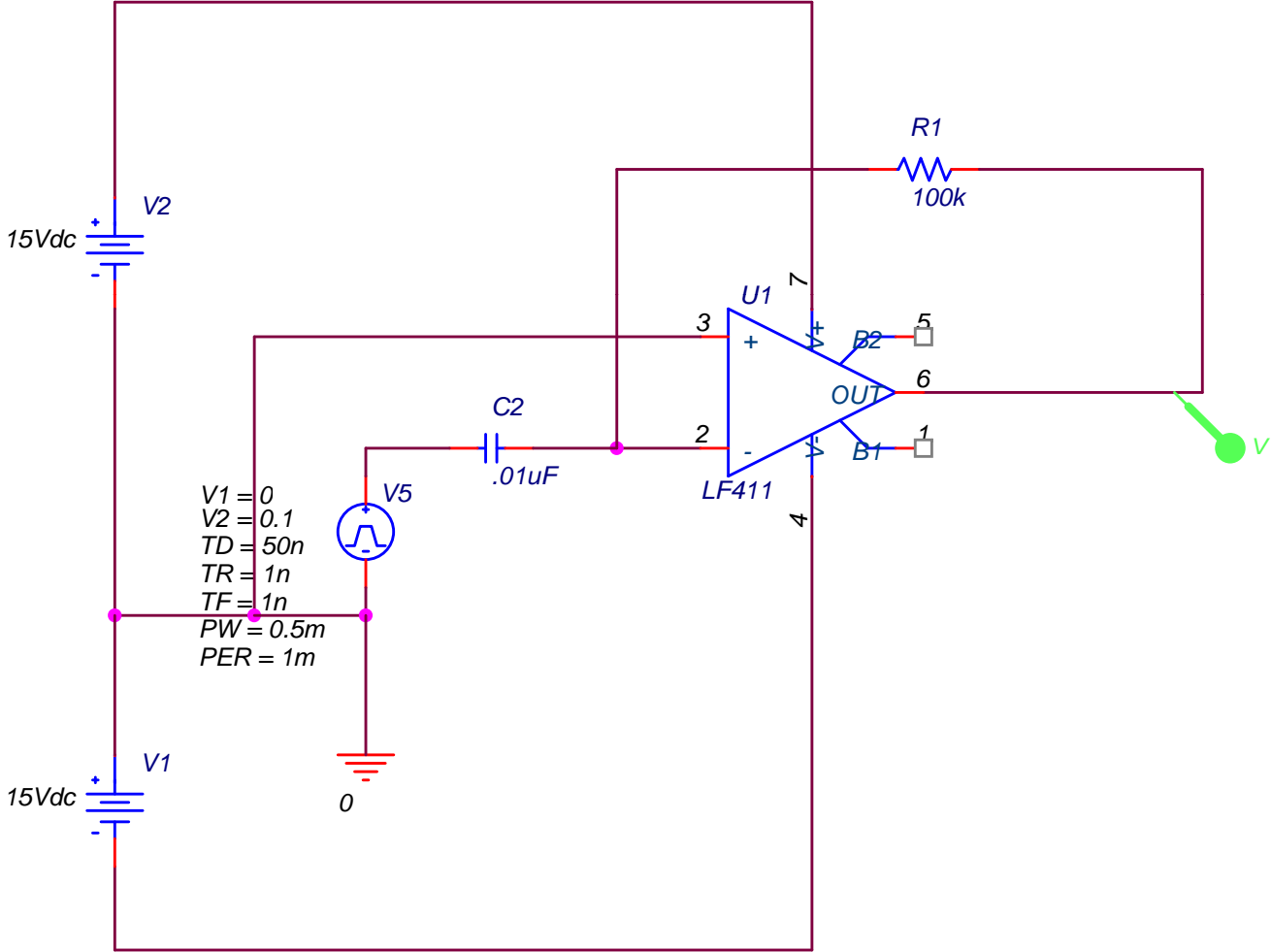
# Phase Shifts Around the Loop



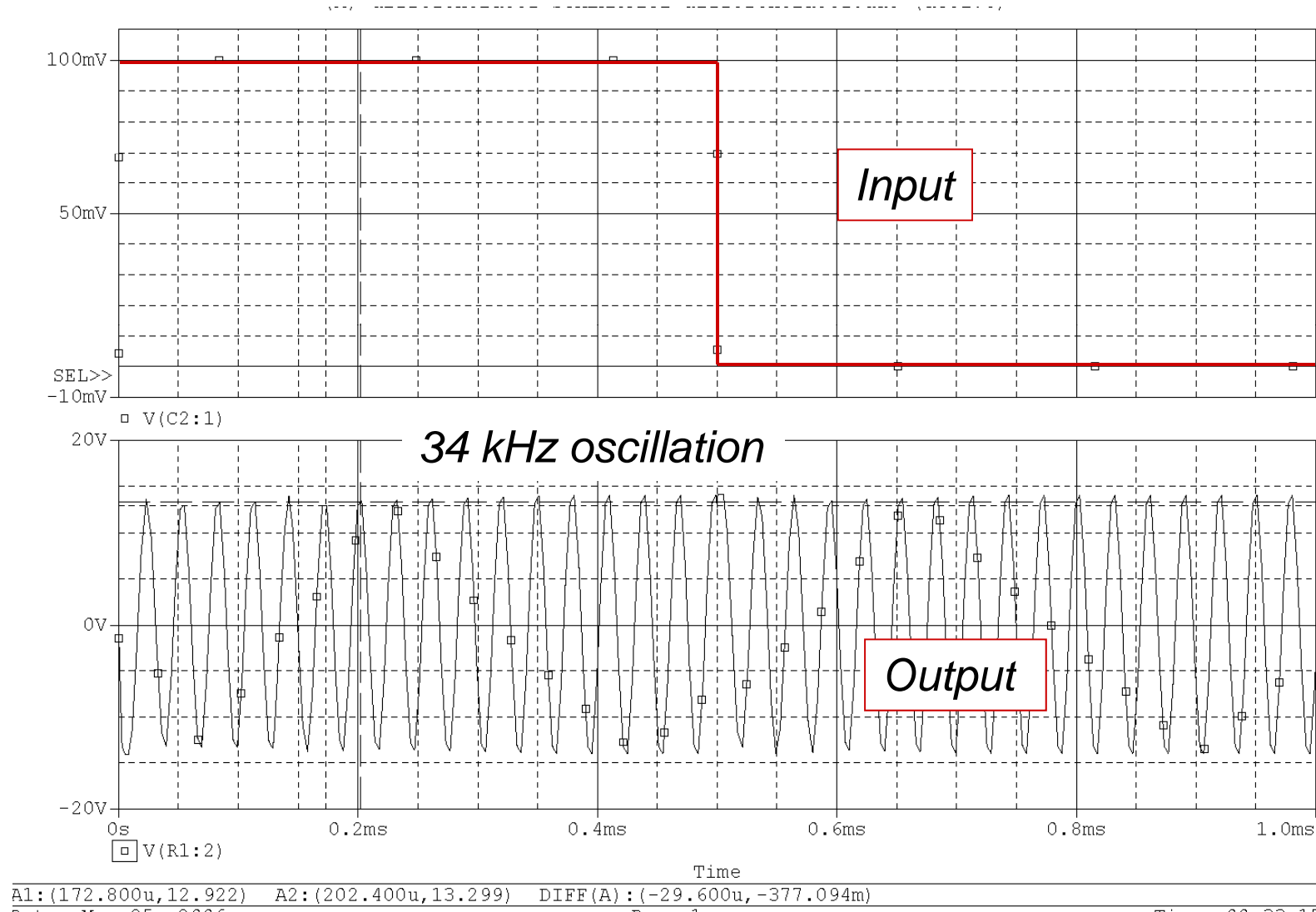
# Spice AC-sim up to high frequency:



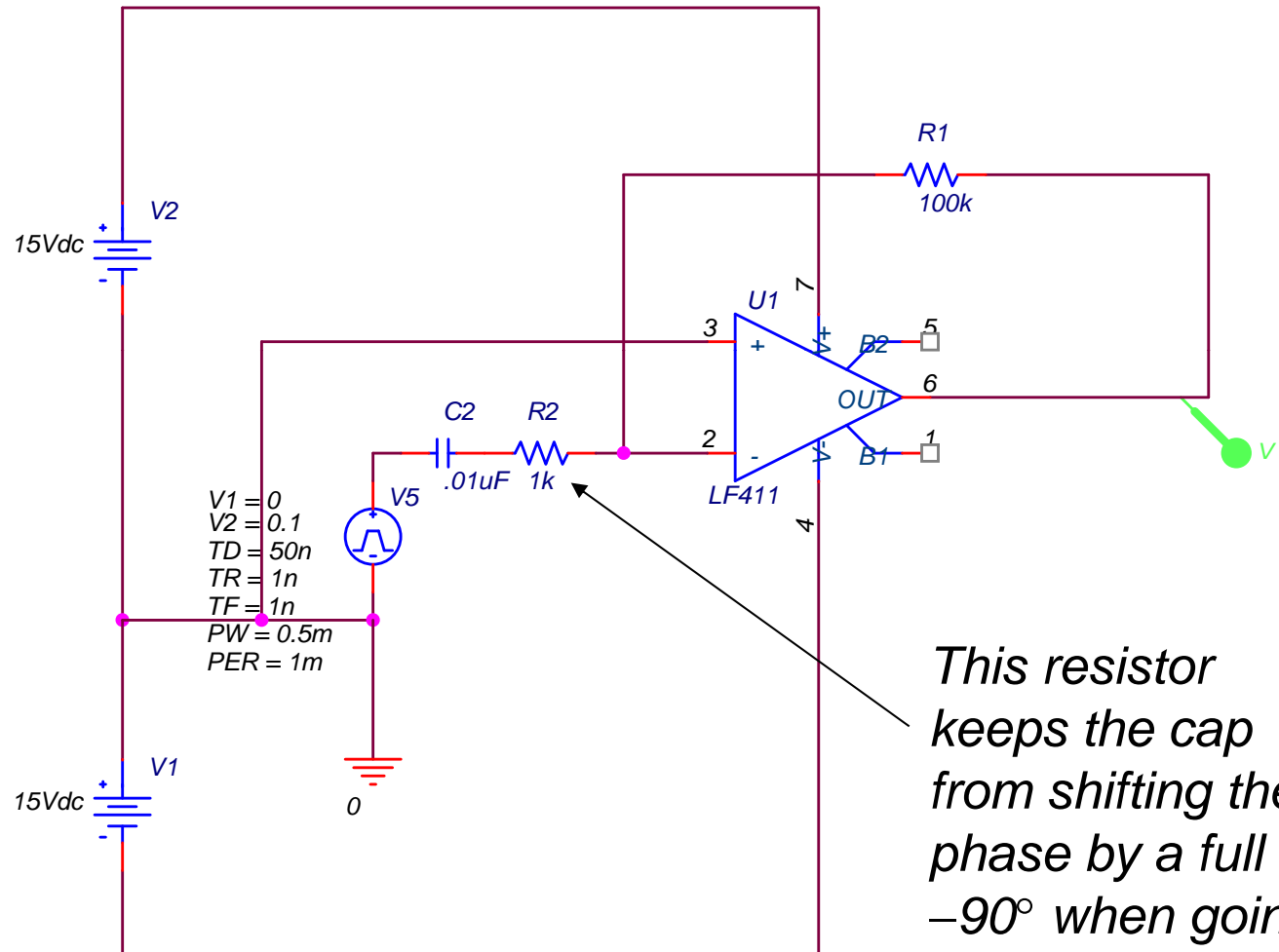
# Transient Simulation with Square-Wave Input



# Transient Simulation with Square-Wave Input

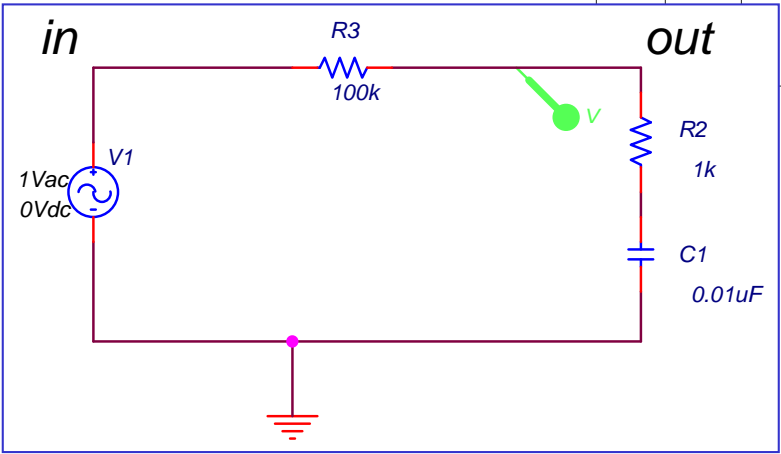
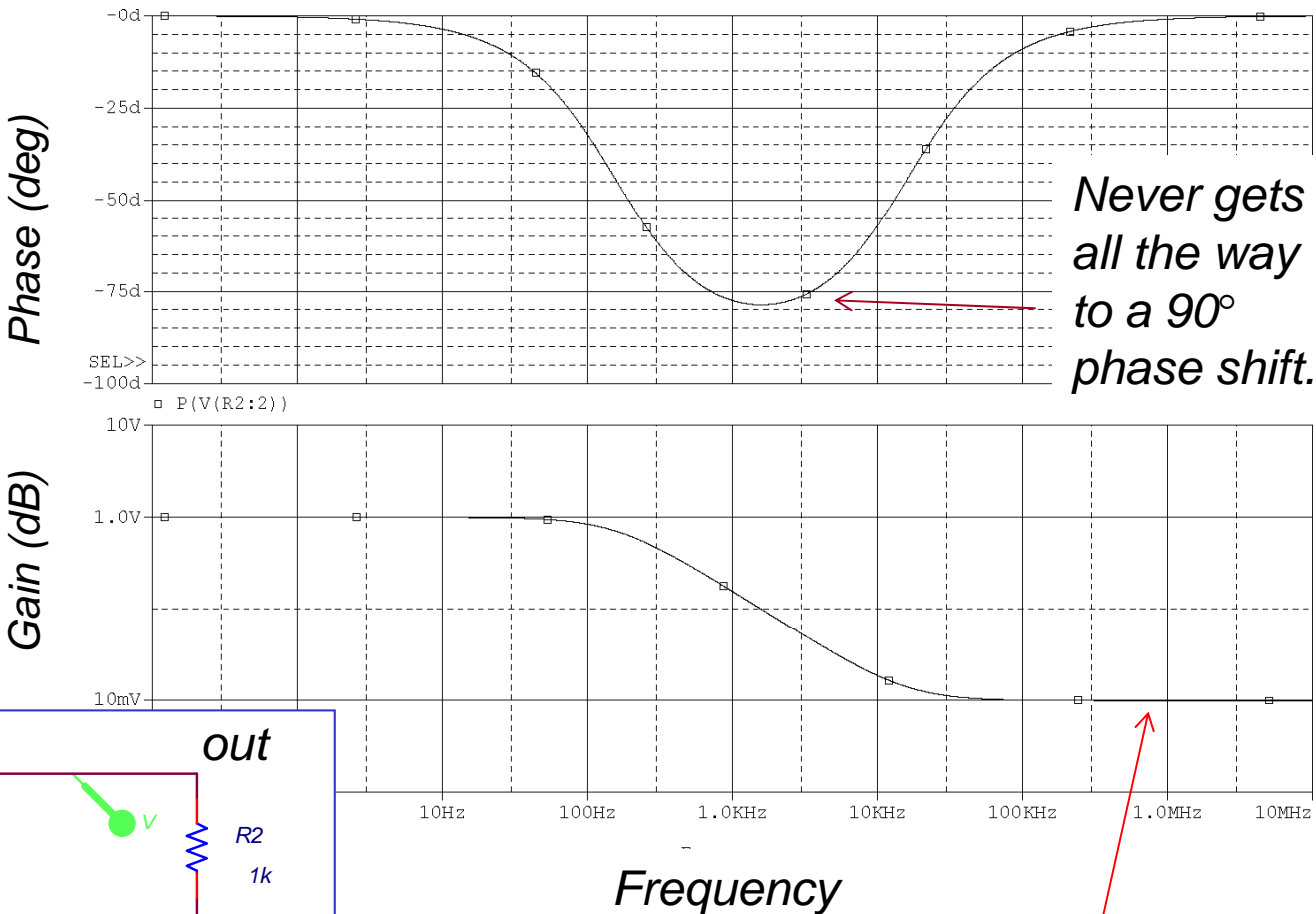


# Add a 1k Resistor in Series with the Cap

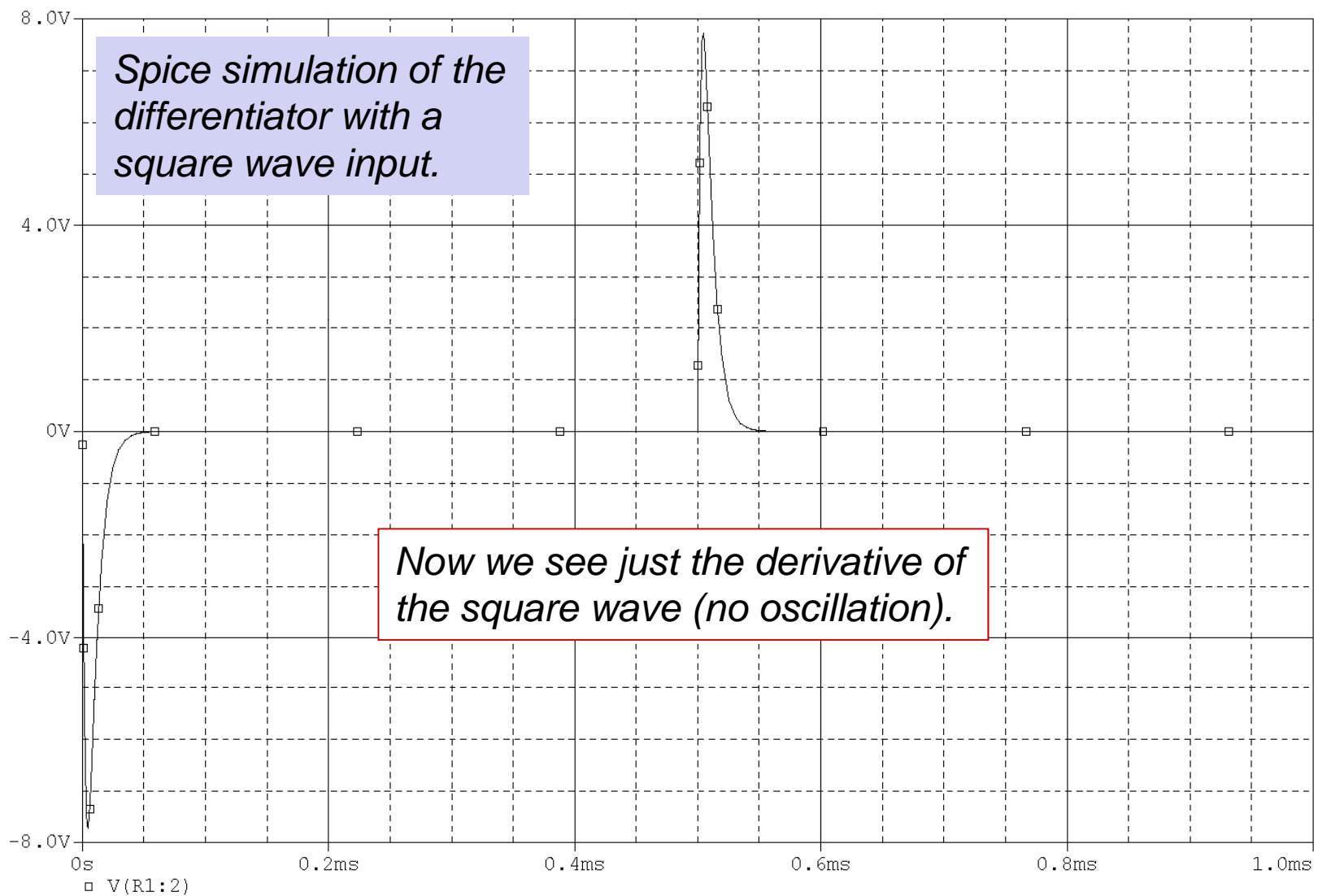


*This resistor keeps the cap from shifting the phase by a full  $-90^\circ$  when going around the loop.*

# Low-Pass Filter with Extra Resistor

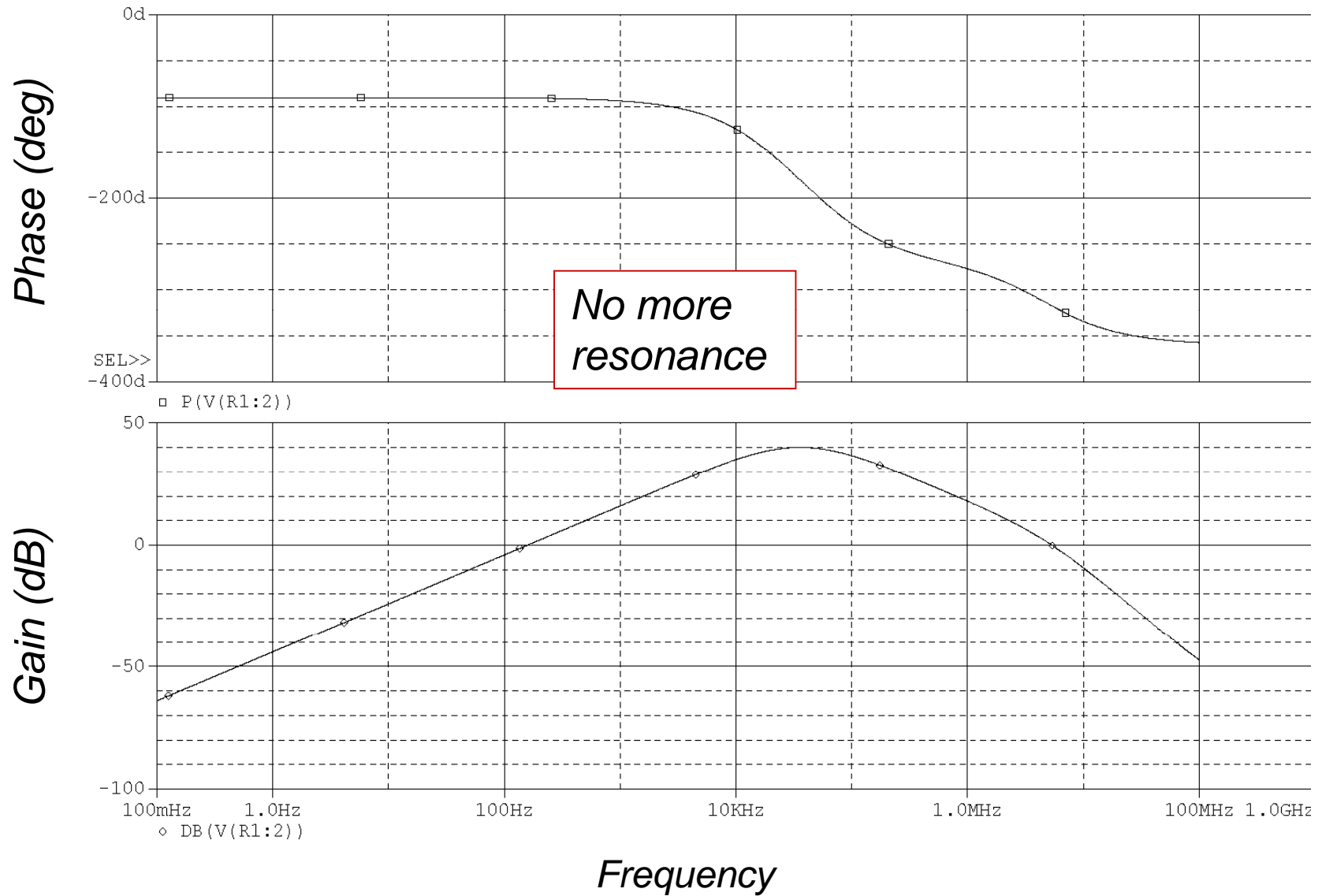


## With 1k Resistor in Series with Cap

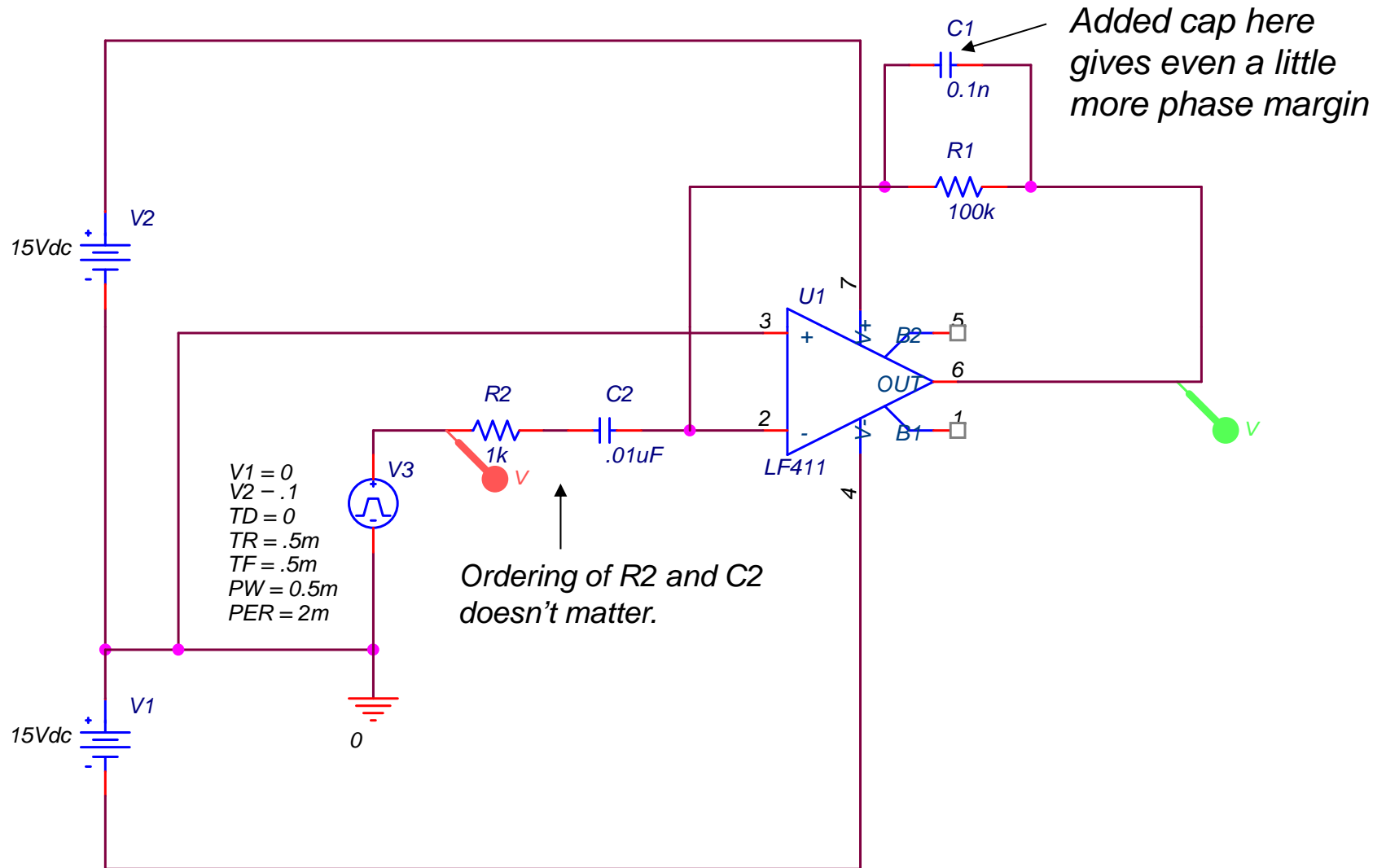




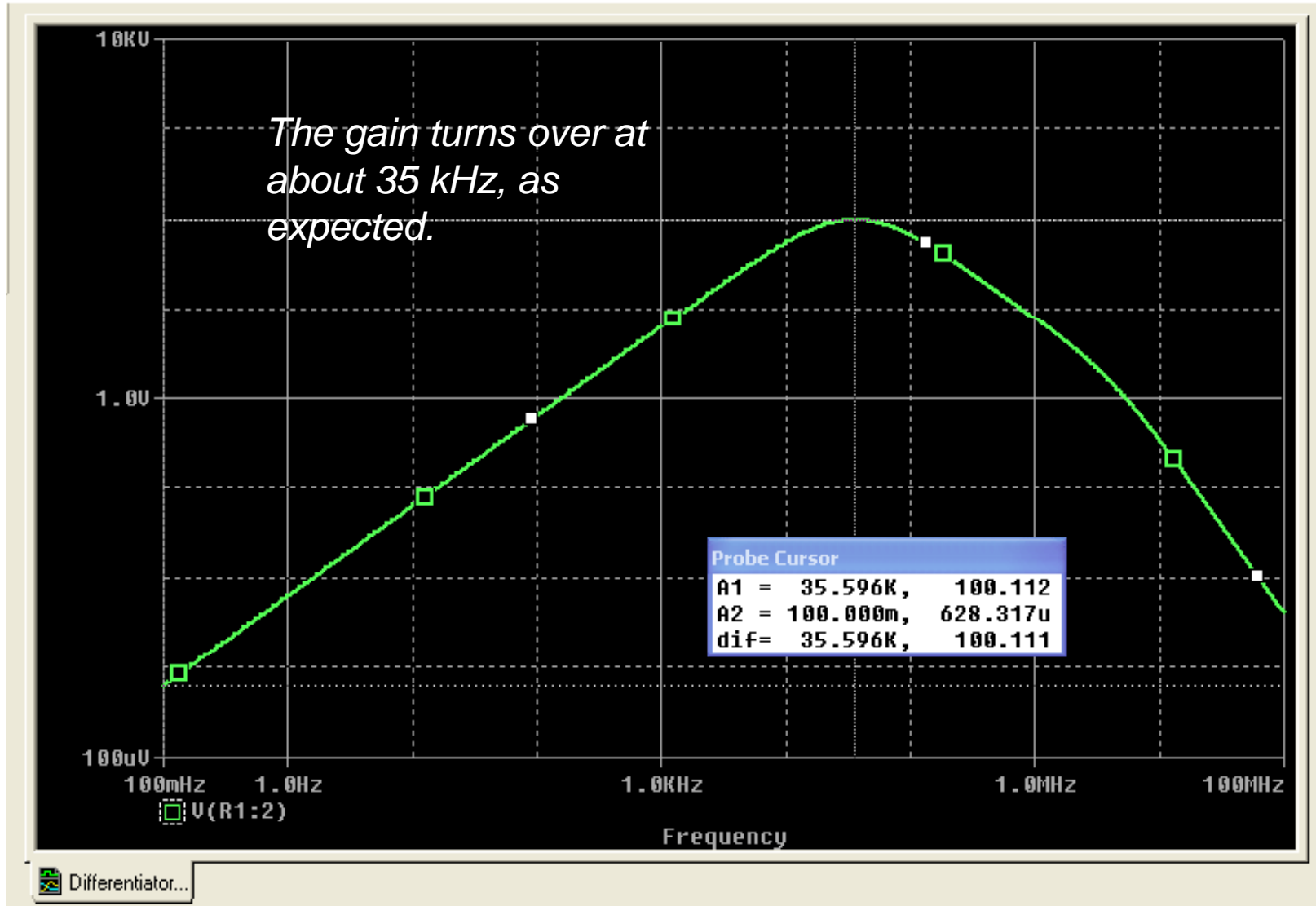
# With 1k Resistor in Series with Cap



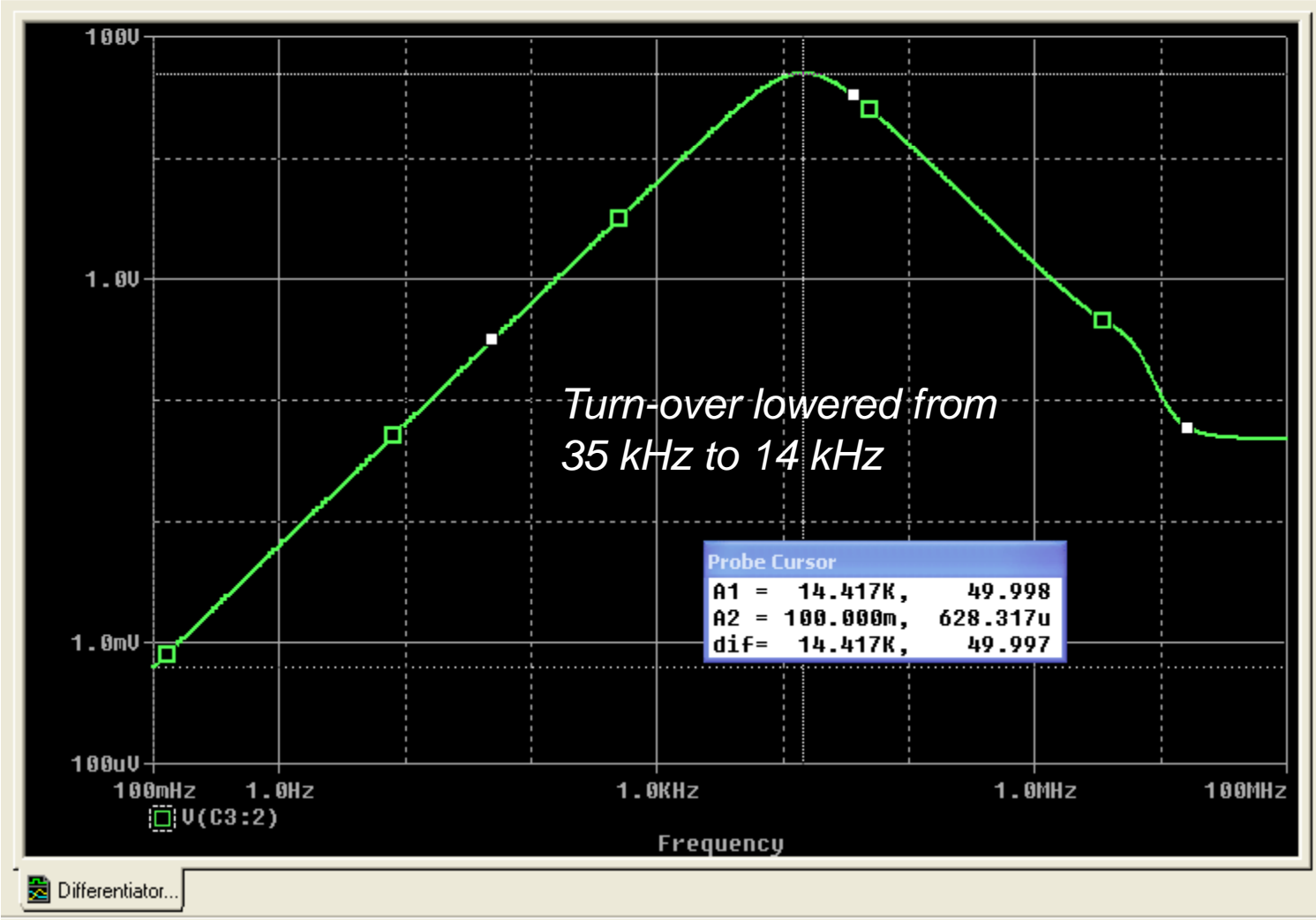
# Lab Differentiator Circuit



# Differentiator without feedback capacitor



# Differentiator with feedback capacitor



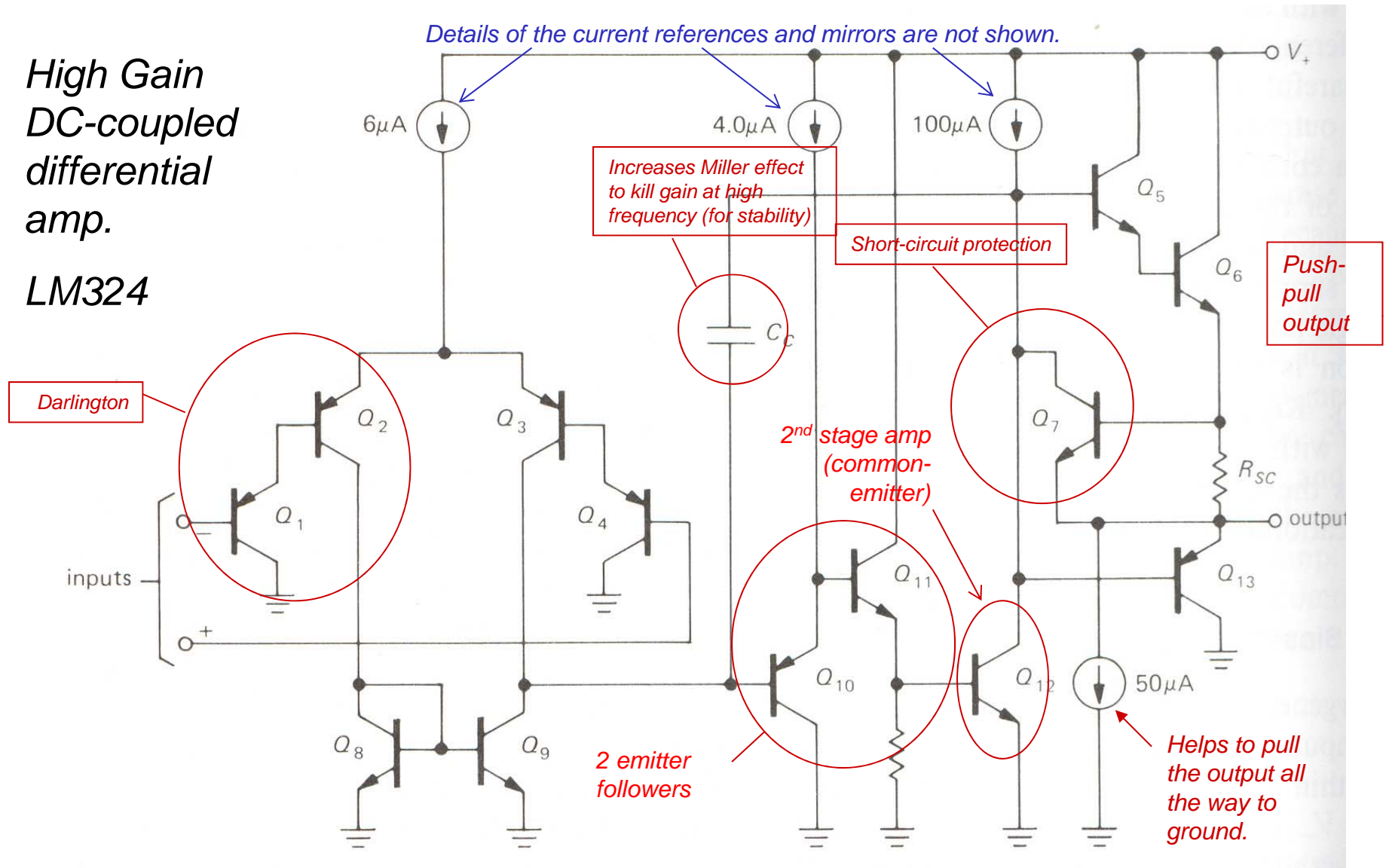
# Input and Output Impedance

- *Differential input impedance*
  - *For a non-inverting amp, it is boosted by a factor of  $(1+AB)$  to near infinity due to negative voltage feedback. Thus it becomes an insignificant parameter. (Remember:  $AB$ ="loop gain".)*
- *Output impedance: 40 ohms for the 411 without feedback*
  - *For a real application the output impedance depends on the feedback network (low for  $V$  source; high for  $I$  source)*
  - *With negative voltage feedback the output impedance drops by a factor of  $1/(1+AB)$  to such a low value as to become insignificant. **The maximum current drive of the output stage is then the much more relevant parameter.***
- *Maximum output current and output swing*
  - *411 can go from  $V_{EE}+2V$  to  $V_{CC}-2V$  with a 1 kohm load*
  - *Single-supply op-amps (e.g. LM358) can swing from ground to close to the positive rail (but typically they can only reach ground if they don't have to sink too much current, e.g.  $<50 \mu A$ ).*

# Op-Amp Example (Single Supply)

High Gain  
DC-coupled  
differential  
amp.

LM324



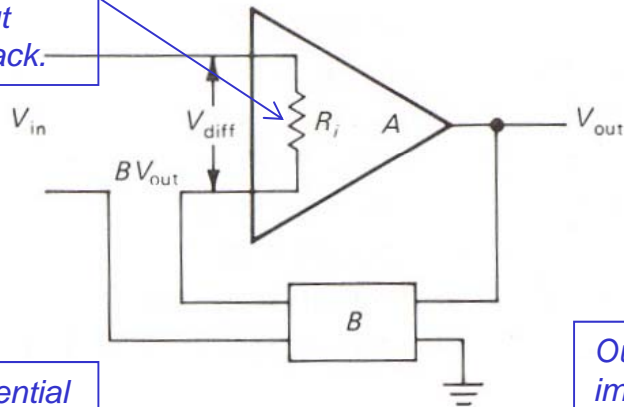
# Input and Output Impedance

- Non-inverting amplifier (voltage, or series, feedback)

- $Z_{in}$  gets increased by  $(1+AB)$
- $Z_{out}$  gets decreased by  $1/(1+AB)$

$$G = \frac{V_{out}}{V_{in}} = \frac{A}{1 + AB}$$

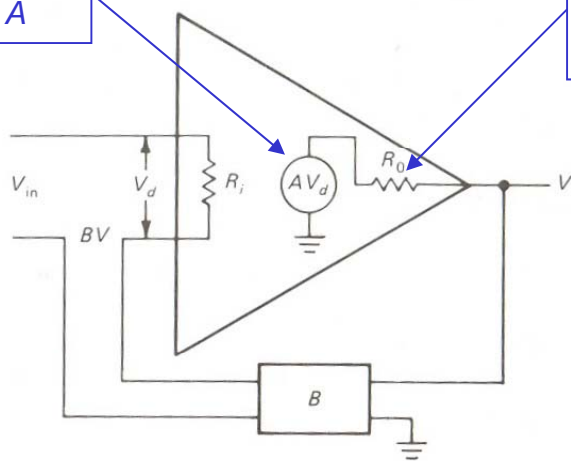
Input impedance without feedback.



$$I_{in} = \frac{V_{in} - BV_{out}}{R_i} = \frac{V_{in}}{R_i \cdot (1 + AB)}$$

$Z_{in}$

Differential gain = A



Output impedance without feedback.

Suppose  $V_{in} = 0$  and apply  $V$  at output.  
Amp sees  $0 - BV$  across its 2 inputs.

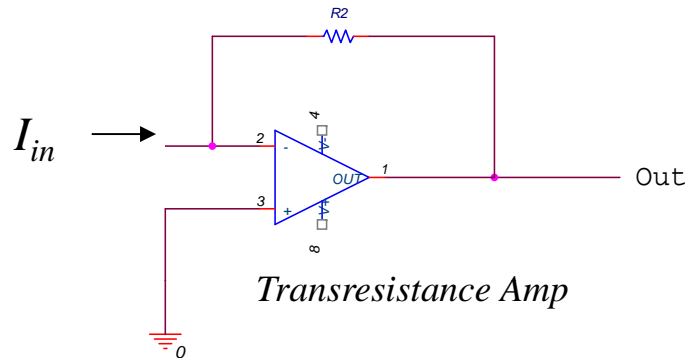
$$I_{out} = \frac{V - (-ABV)}{R_0} = V \cdot \frac{1 + AB}{R_0}$$

$1/Z_{out}$

# Input and Output Impedance

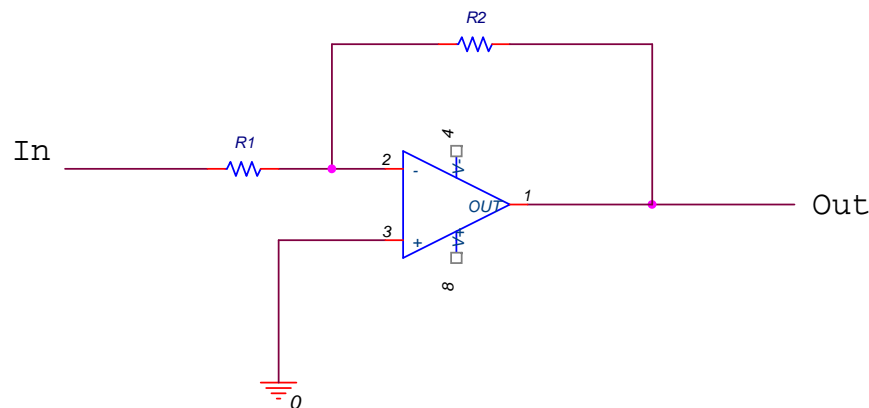
- Inverting amp (shunt feedback)

$Z_{in}$  reduced by  $1/(1+A)$



$$I_{in} = \frac{V_{in} - V_{out}}{R_2} = \frac{V_{in} \cdot (1 + A)}{R_2}$$

Impedance into the amp input itself is so high that we can ignore it here. It is in parallel with  $R_2/(1+A)$ , which is tiny.



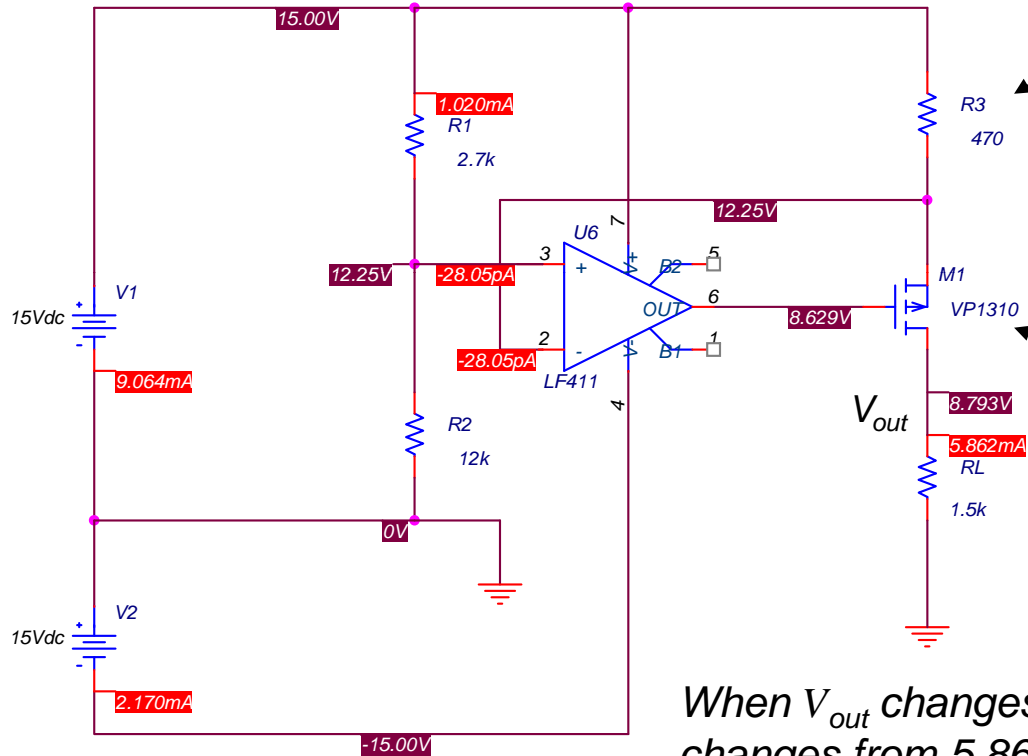
$$Z_{in} = R_1 + \frac{R_2}{1 + A} \approx R_1$$

The **output** impedance of the inverting amp is the same as for the non-inverting amp. In both cases the voltage is sampled at the output and fed back.



# Output Impedance

- Current source (current sampling)



The feedback is using R3 to sample the output current.

The op-amp output uses the MOSFET  $g_m$  to control the current.

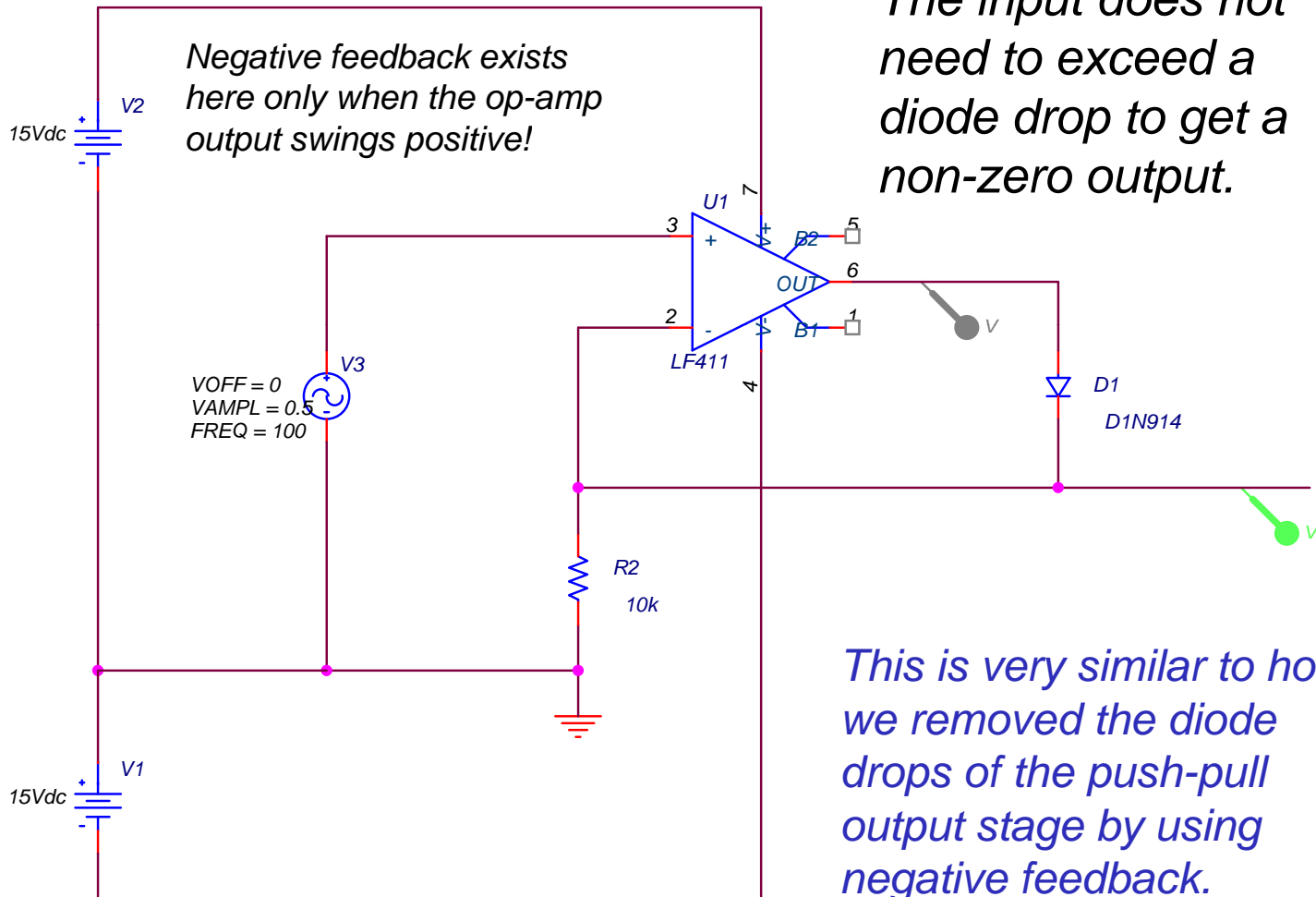
When  $V_{out}$  changes from 0 to 11.5V, the current changes from 5.86209625 mA to 5.86209775 mA.

$$Z_{out} = \frac{11.5}{1.5 \times 10^{-9}} = 7.7 \text{ G}\Omega !!$$

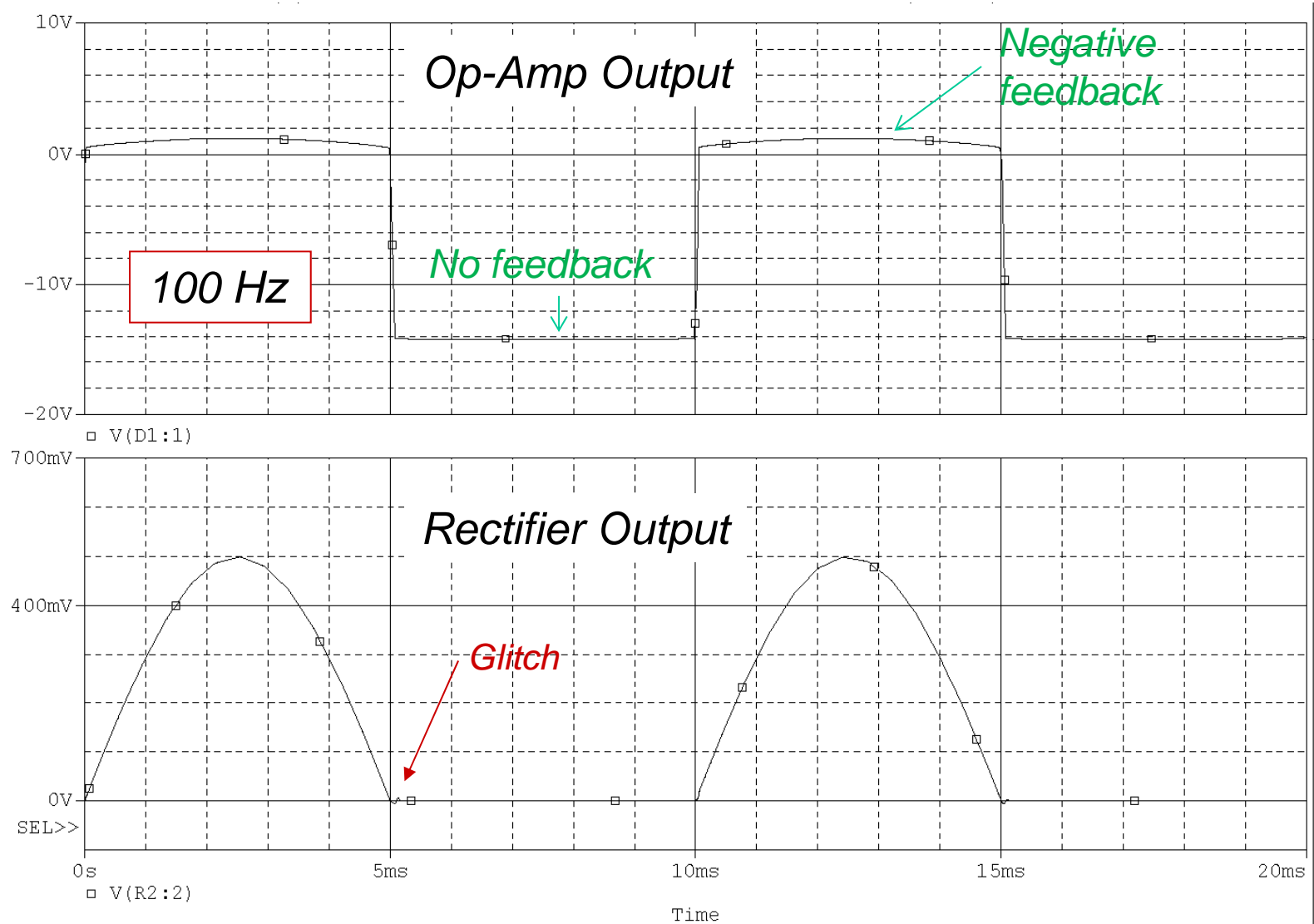
*Some additional circuits studied in the lab:*

# **ACTIVE RECTIFIERS**

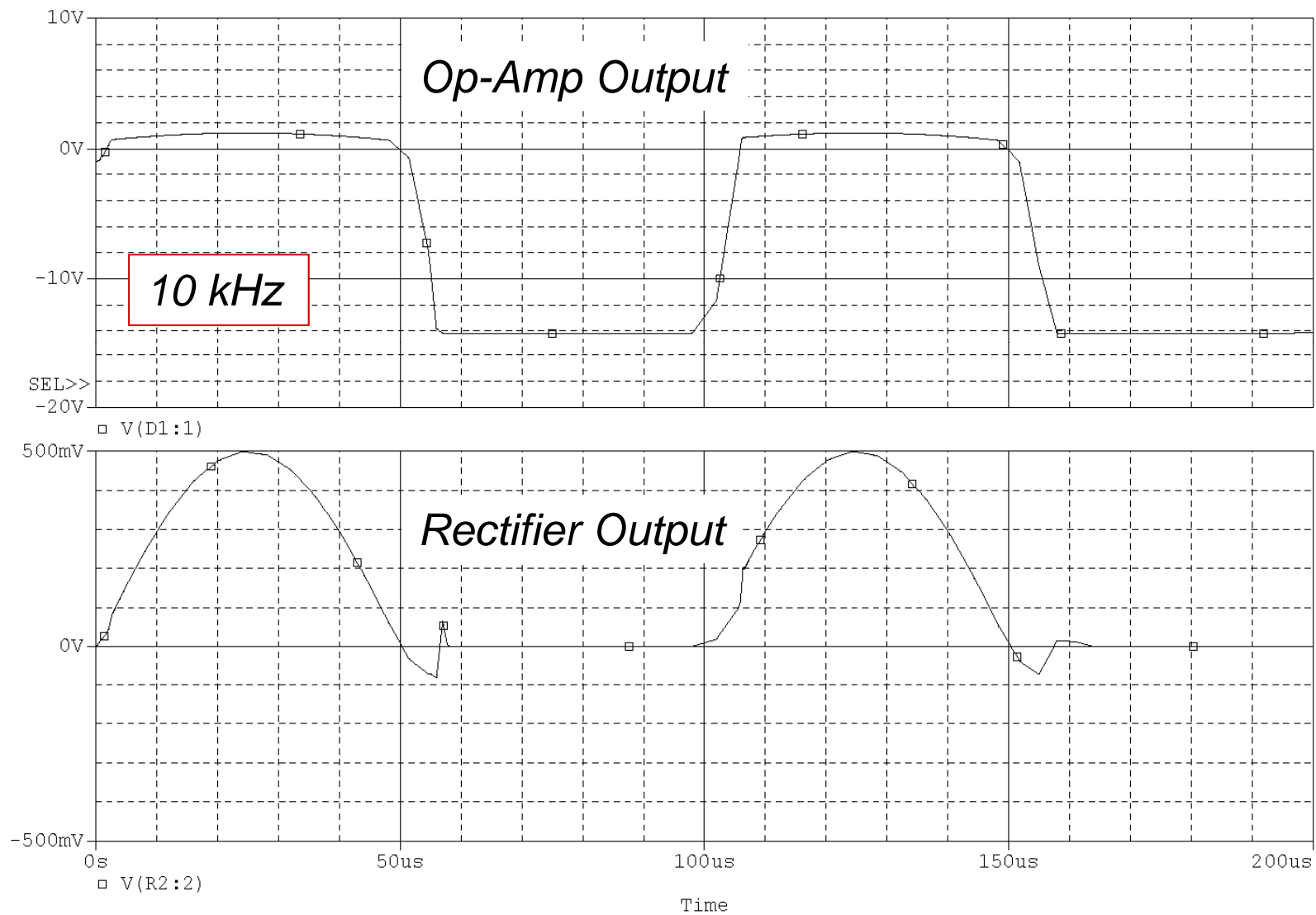
# Active $\frac{1}{2}$ Wave Rectifier



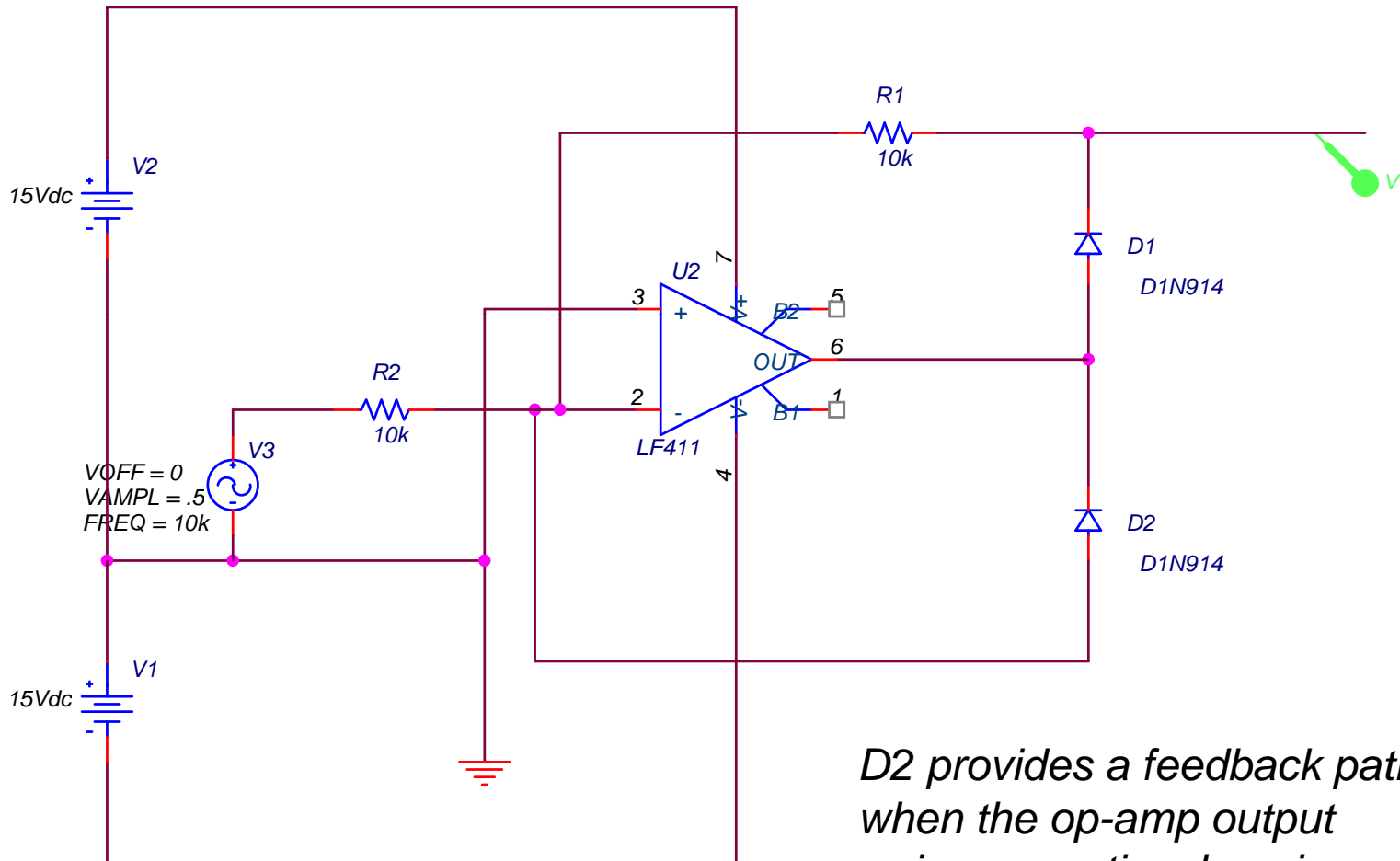
# Active Rectifier Transient Simulation



# Active Rectifier Transient Simulation



# Improved Active 1/2 Wave Rectifier



*D2 provides a feedback path when the op-amp output swings negative, keeping the op amp from trying to swing all the way to  $V_{EE}$ .*

# Improved Active Rectifier

